



Single quantum dots as photon pair emitters

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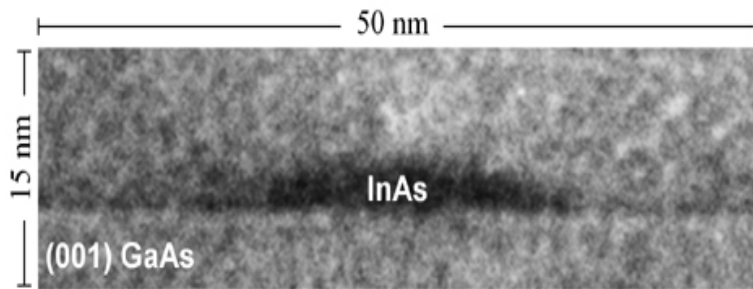
MINISTRY OF EDUCATION,
YOUTH AND SPORTS



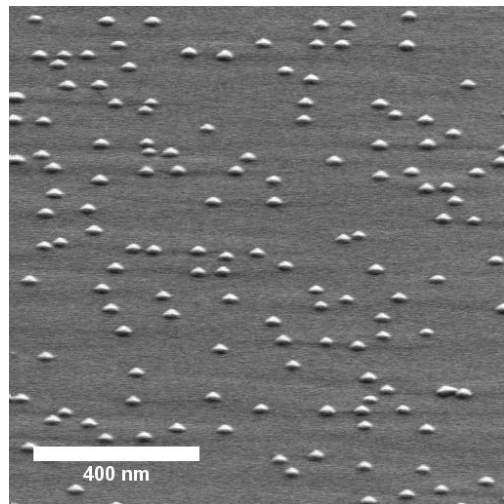
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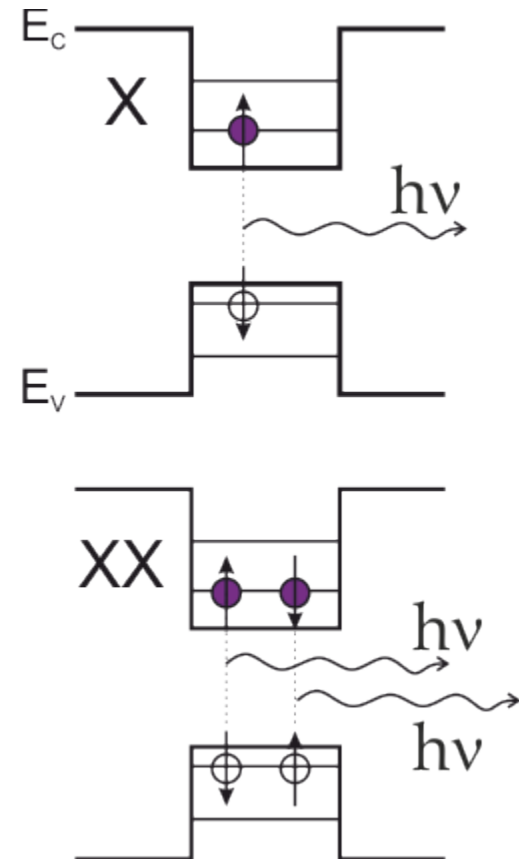
Quantum dots – artificial atoms



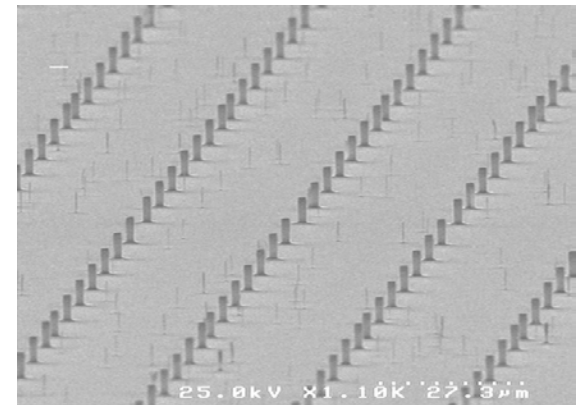
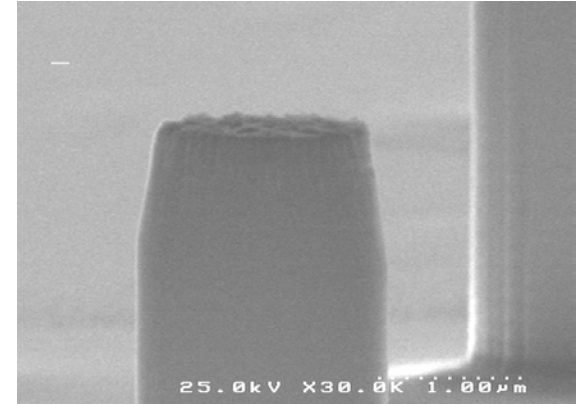
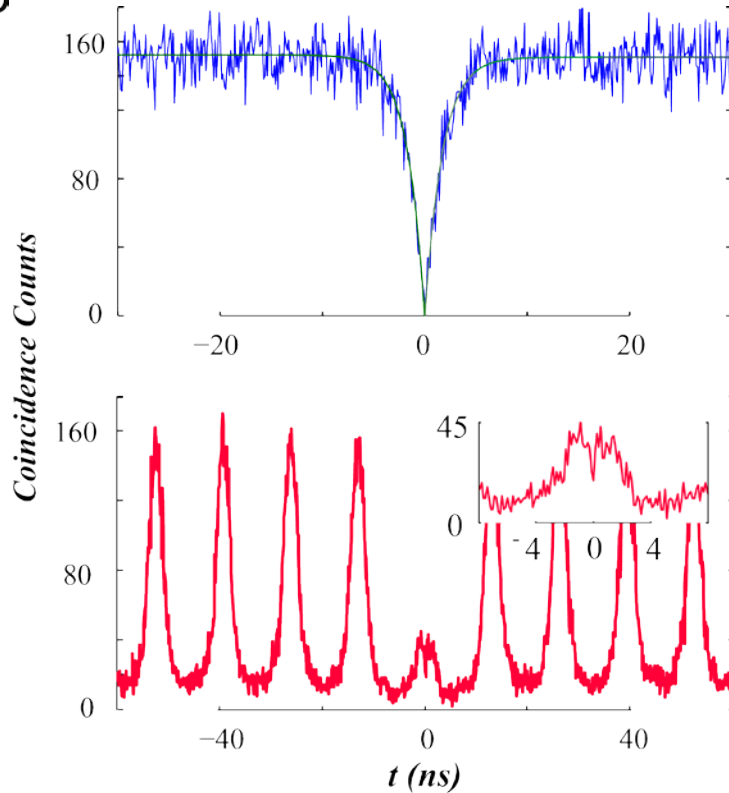
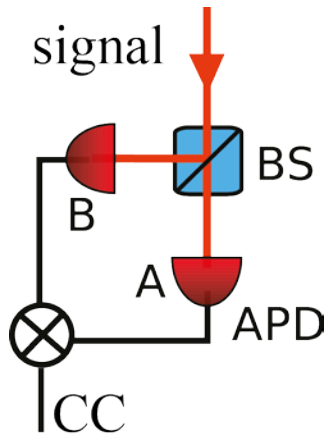
Property of Gilles Patriarche, Laboratoire de Photonique et Nanostructures, Marcoussis



Courtesy of University Wuerzburg

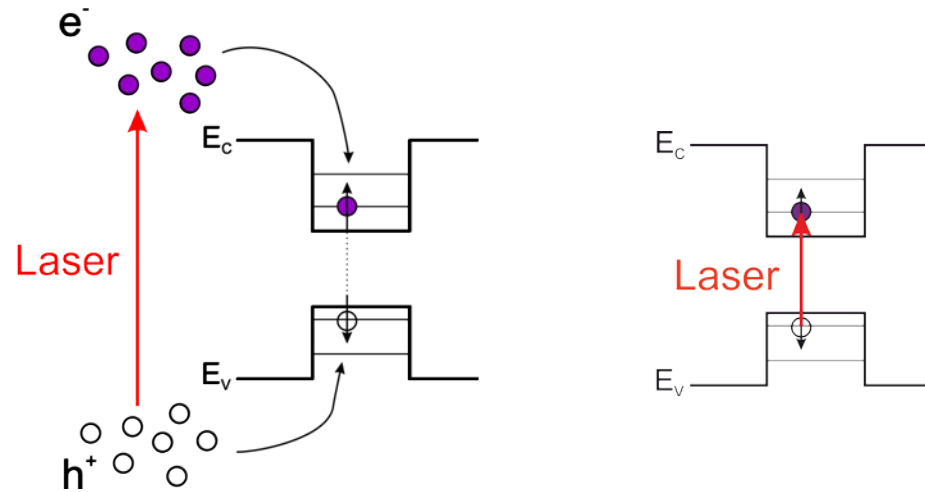
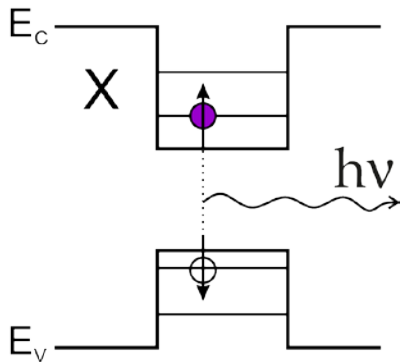


Application– producing single photons



Courtesy of University Wuerzburg

Quantum dots – benefits of resonant excitation

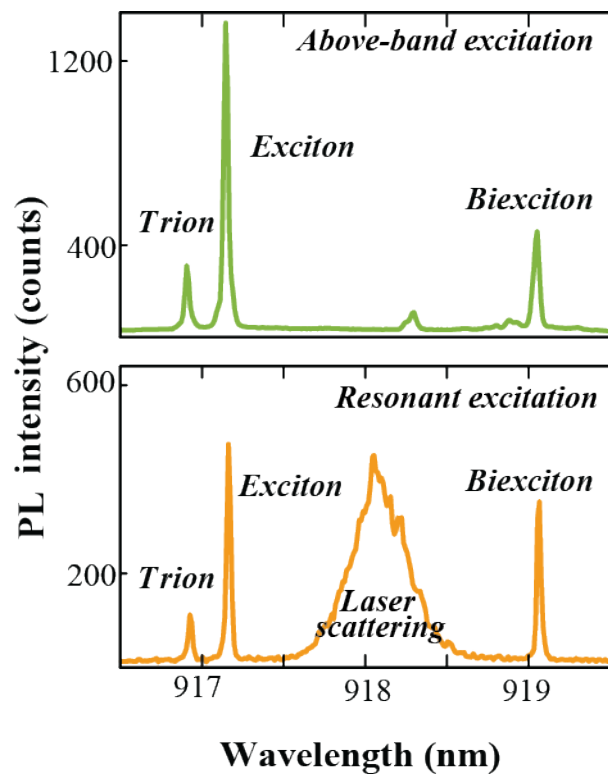


- control and coherent manipulation
- favourable photon statistics
- jitter-free wave packet

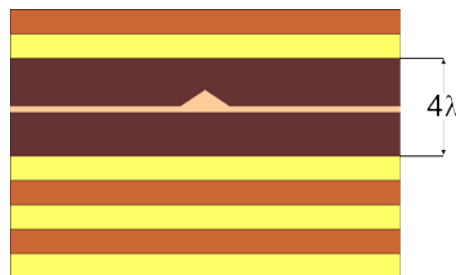
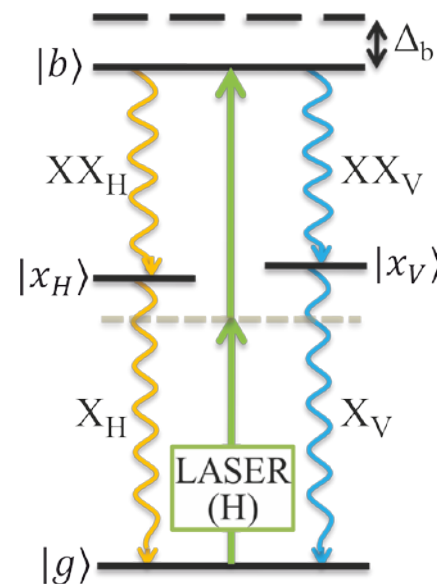
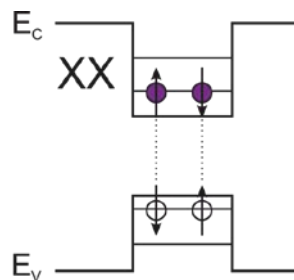
Overview

- resonant two – photon excitation
- characterization of the system
- experimental set-up
- time-bin entanglement

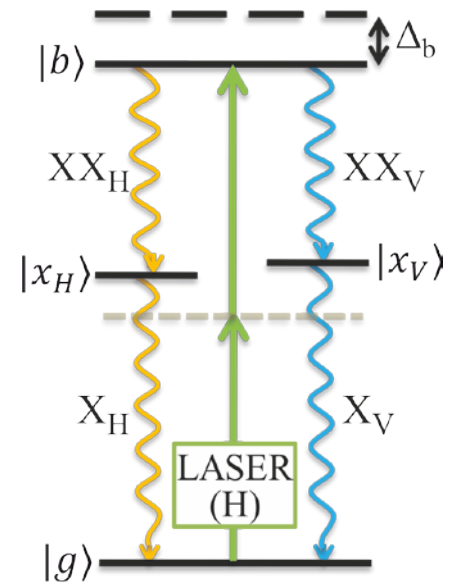
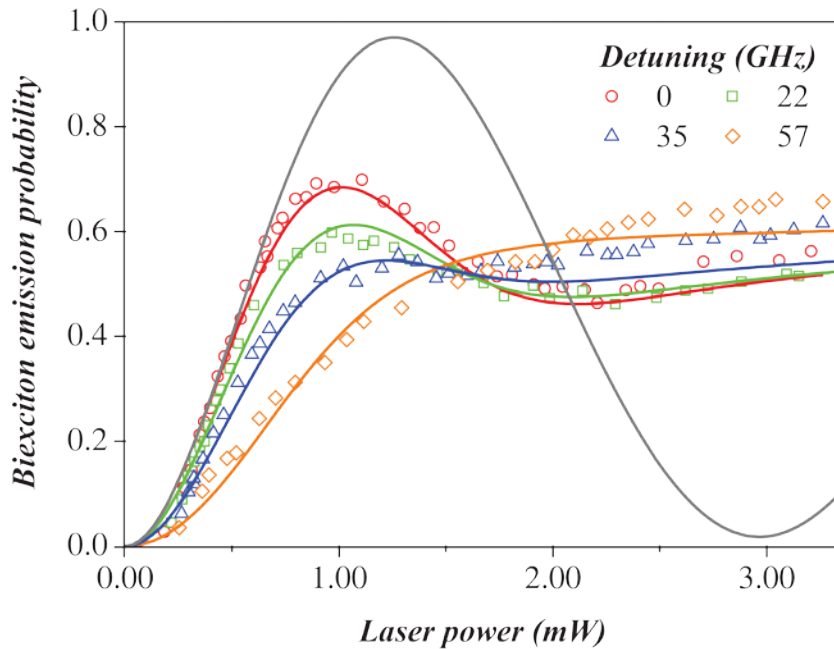
Two-photon resonant excitation



$$E_b = 2E_x - E_{xx}$$

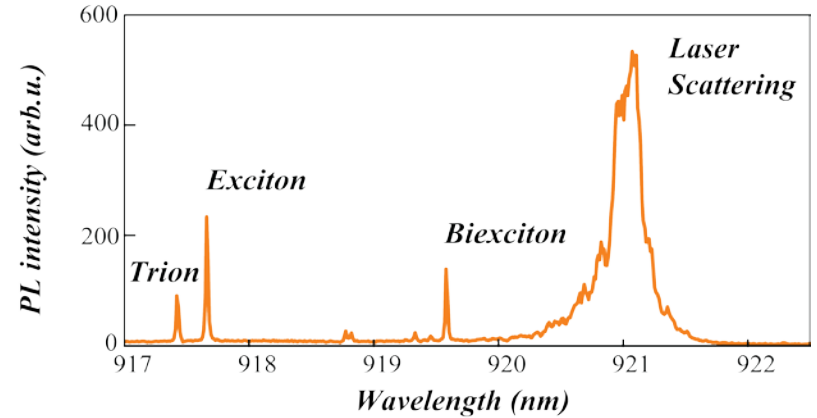
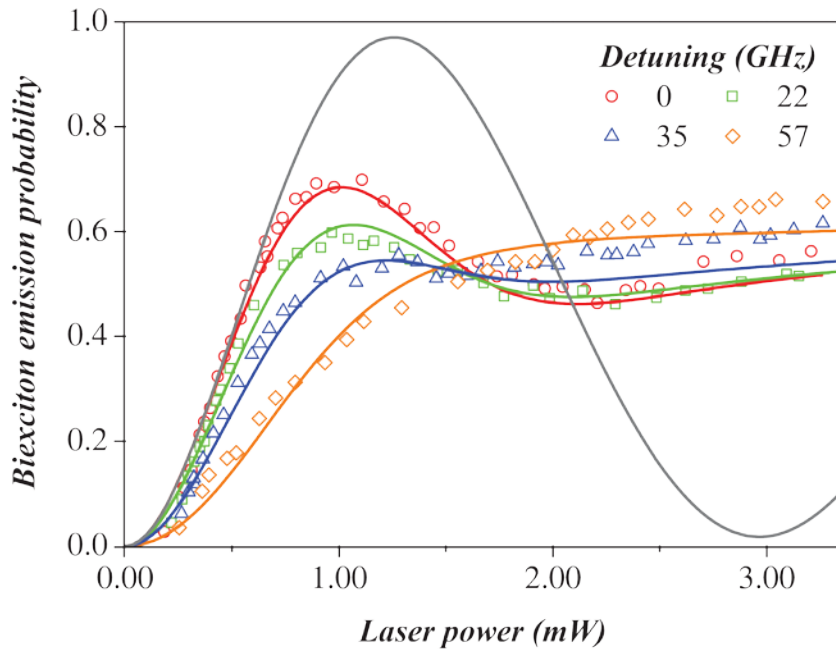


Resonant excitation allows for deterministic creation of population

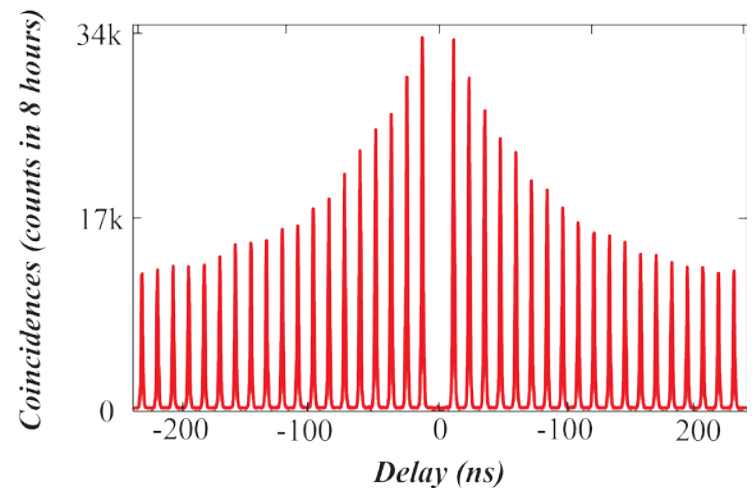


$$H = \hbar \begin{pmatrix} 0 & \frac{\Omega_1(t)}{2} & 0 \\ \frac{\Omega_1(t)}{2} & -\Delta_b + \Delta_e & \frac{\Omega_2(t)}{2} \\ 0 & \frac{\Omega_2(t)}{2} & -2\Delta_b \end{pmatrix}$$

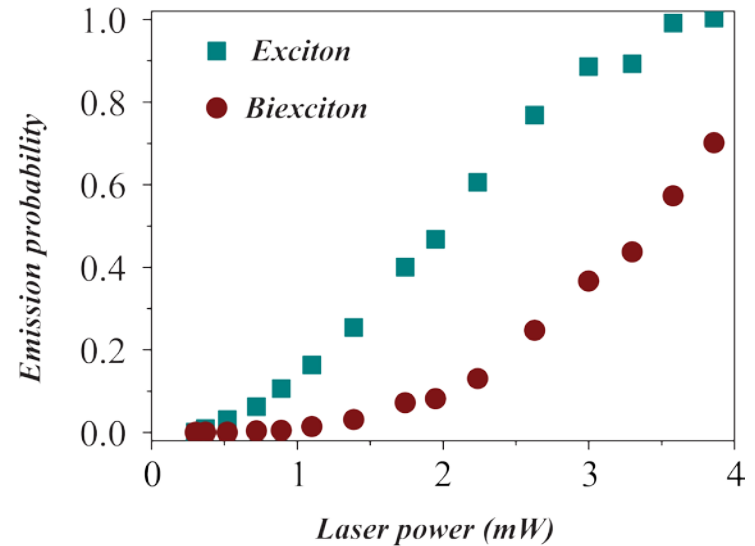
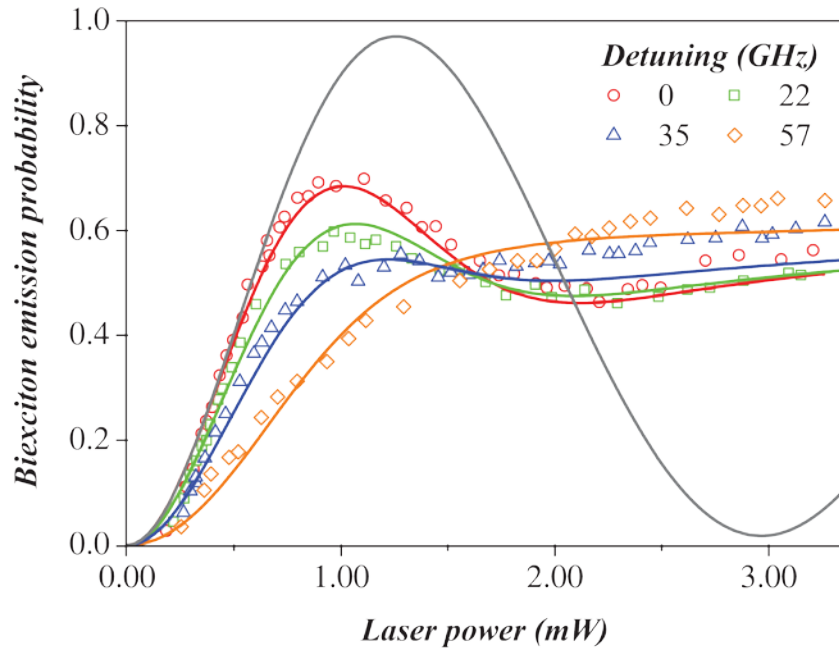
Resonant excitation allows for deterministic creation of population



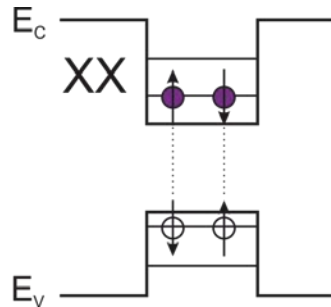
20 million excitations
quantum dot “blinking”



Resonant excitation allows for deterministic creation of population



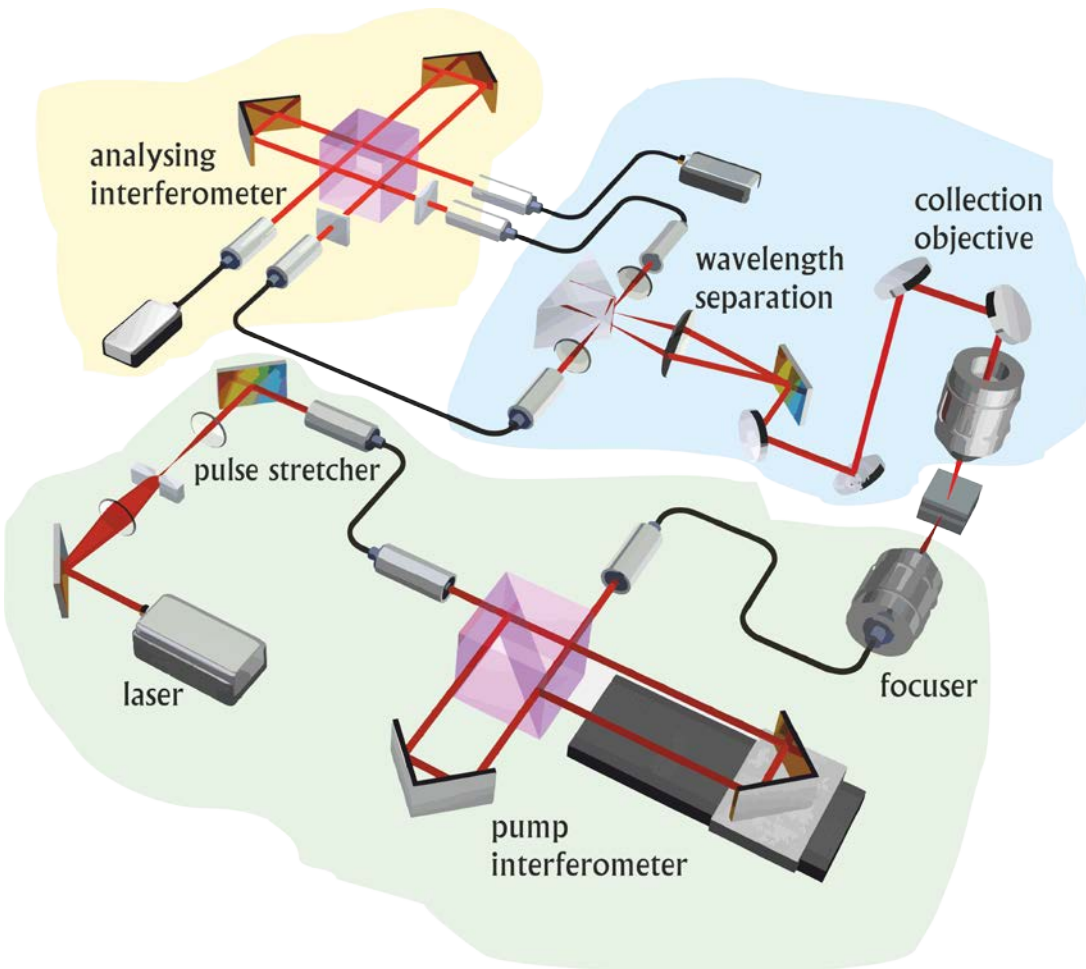
$$\dot{\rho} = -\frac{i}{\hbar} [H, \rho] + \sum_{i=1}^4 \mathcal{L}_i(\rho)$$



$$\mathcal{L}_5(\rho) = \frac{\Omega_3^4}{2} (\sigma_{bx}^\dagger \sigma_{bx} \rho + \rho \sigma_{bx}^\dagger \sigma_{bx} - 2\sigma_{bx} \rho \sigma_{bx}^\dagger)$$

$$\mathcal{L}_6(\rho) = \frac{\Omega_3^4}{2} (\sigma_{gx} \sigma_{gx}^\dagger \rho + \rho \sigma_{gx} \sigma_{gx}^\dagger - 2\sigma_{gx}^\dagger \rho \sigma_{gx})$$

Experimental Apparatus consists of: Excitation, Collection and Analysis Part



Coherent Mira laser (76MHz) with pulse length of 2-4ps

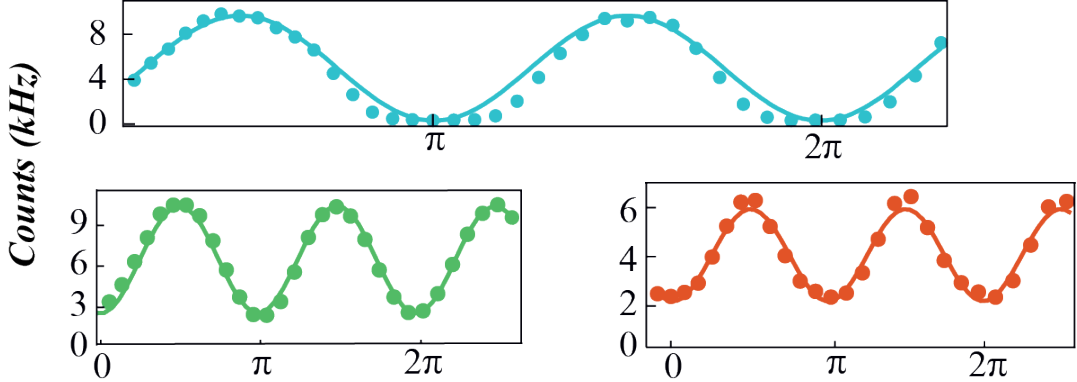
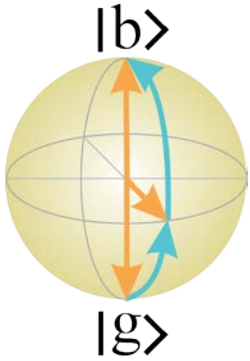
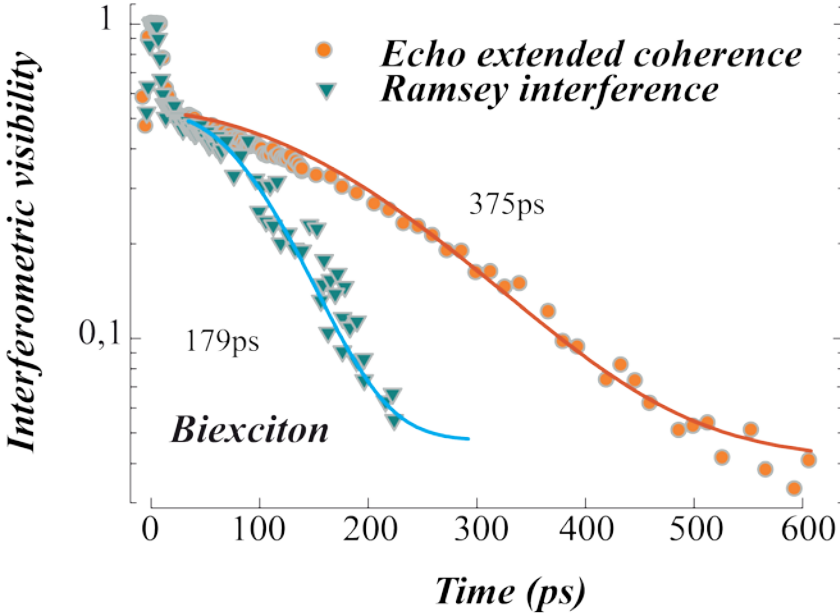
Pulse stretcher for pulse shaping

Pump interferometer of variable length for successive excitations

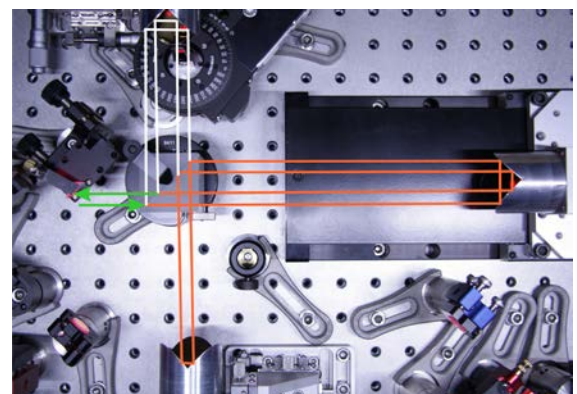
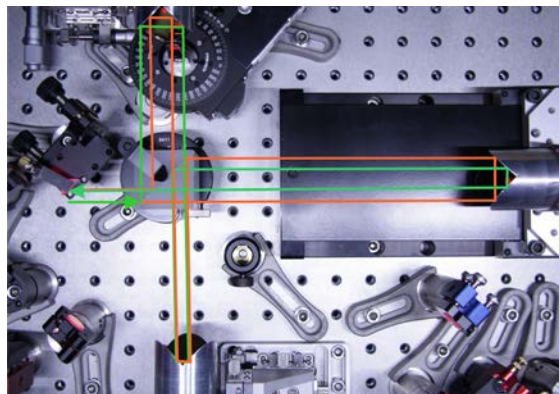
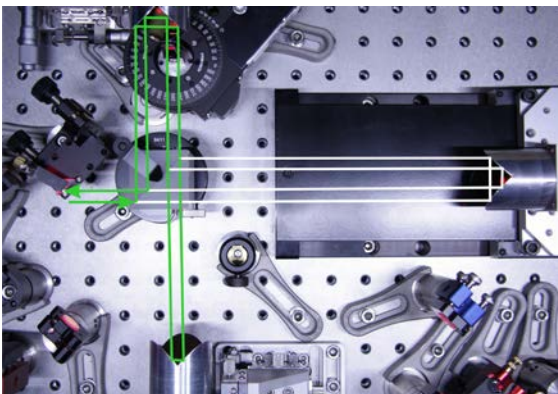
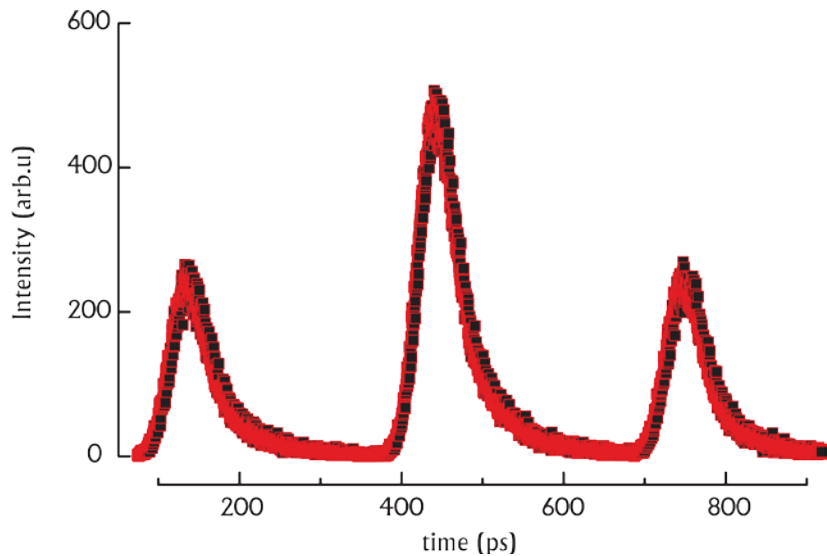
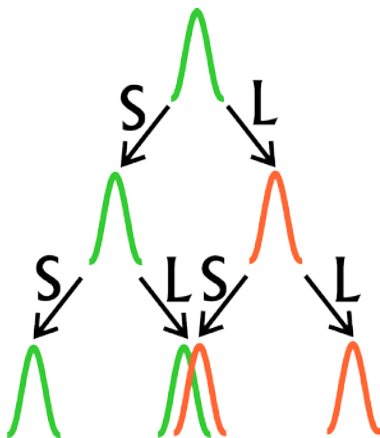
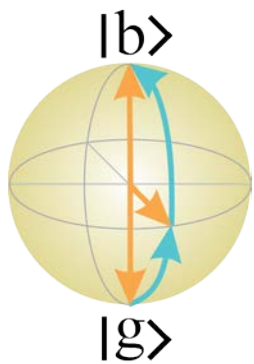
Spectrometer for line separation

Analyzing interferometer

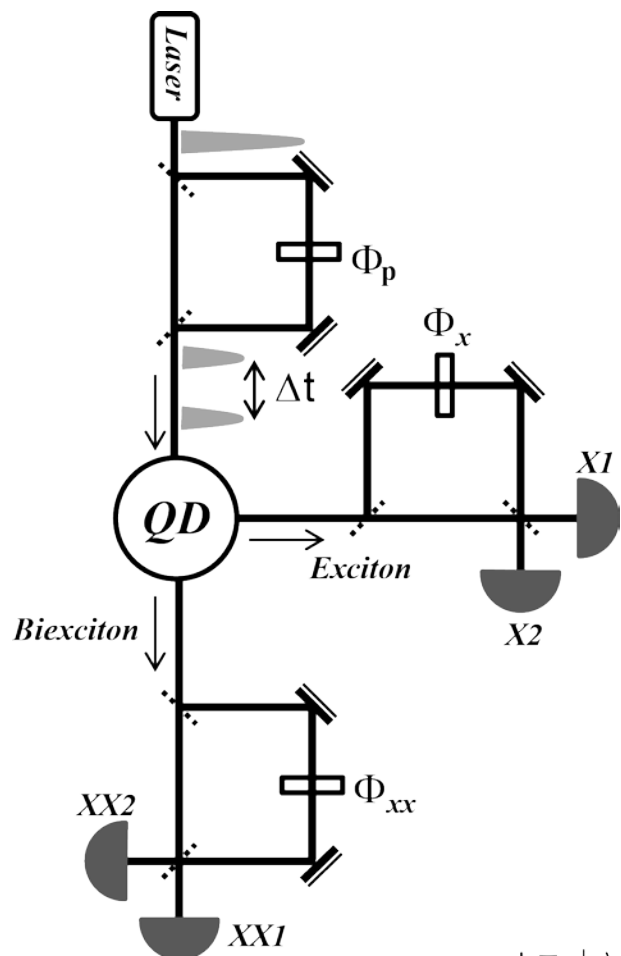
Coherent Spin-Echo Manipulation allows for Reversal of Low Frequency Noise



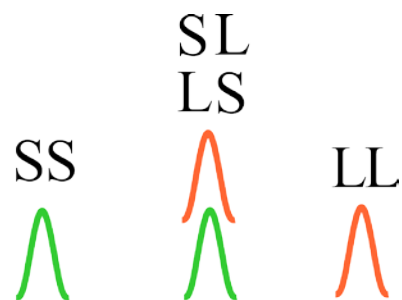
Coherent Spin-Echo Manipulation allows for Reversal of Low Frequency Noise



Time-bin entanglement

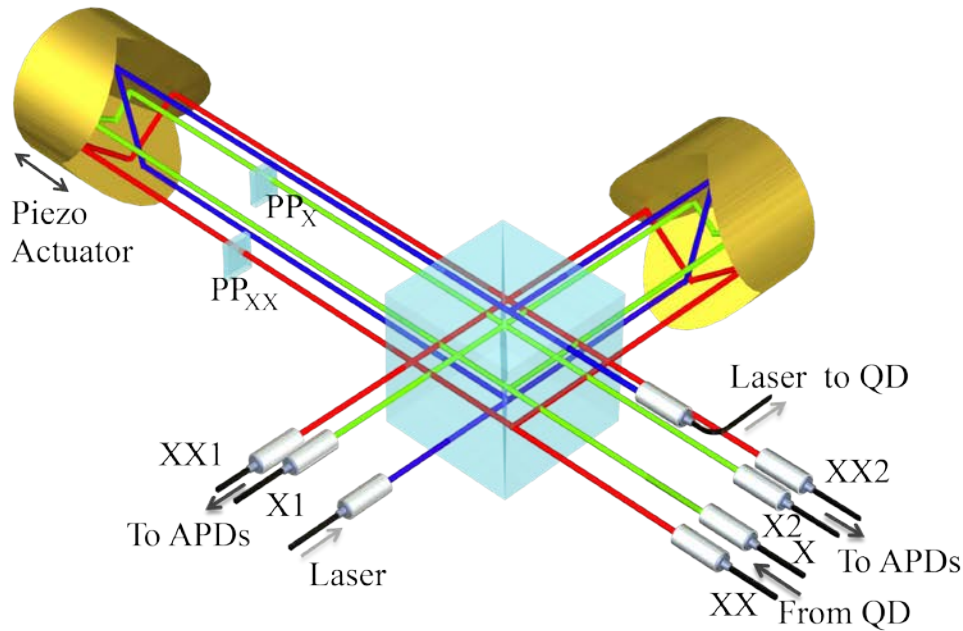


$$|\Phi\rangle_{pump} = \frac{1}{\sqrt{2}}(|early\rangle_p + e^{i\phi_p}|late\rangle_p)$$



$$|\Phi^+\rangle = \frac{1}{\sqrt{2}}(|early\rangle_X|early\rangle_{XX} + e^{i\phi_p}|late\rangle_X|late\rangle_{XX})$$

Entanglement analysis is phase-drift independent



$$XX, X \quad |E\rangle + |L\rangle$$

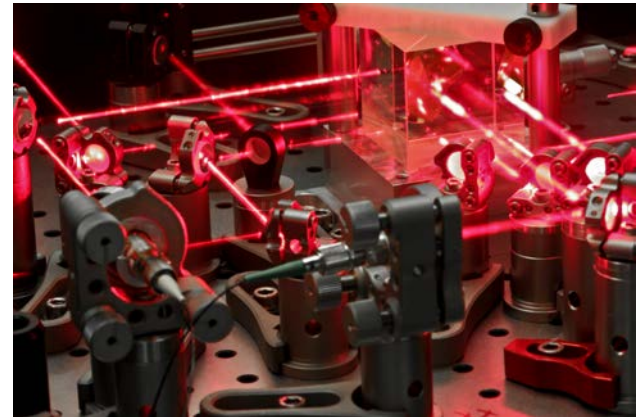
$$|E\rangle + i|L\rangle$$

$|E\rangle$

$|L\rangle$

4 measurements

1	0	0
2	0	$\pi/2$
3	$\pi/2$	0
4	$\pi/2$	$\pi/2$



We have...

demonstrated resonant excitation

- Rabi oscillations
- Ramsey interference

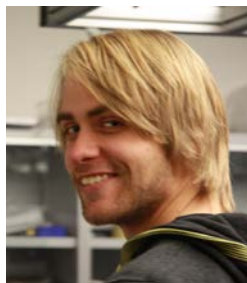
measured a moderate level of time-bin entanglement

- higher collection efficiency
- Purcell-enhanced emission

arXiv:1305.2081 (2013)



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