

# Mezinárodní centrum pro informaci a neurčitost

Registrační číslo: CZ.1.07/2.3.00/20.0060



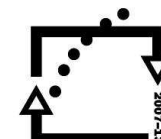
evropský  
sociální  
fond v ČR



EVROPSKÁ UNIE



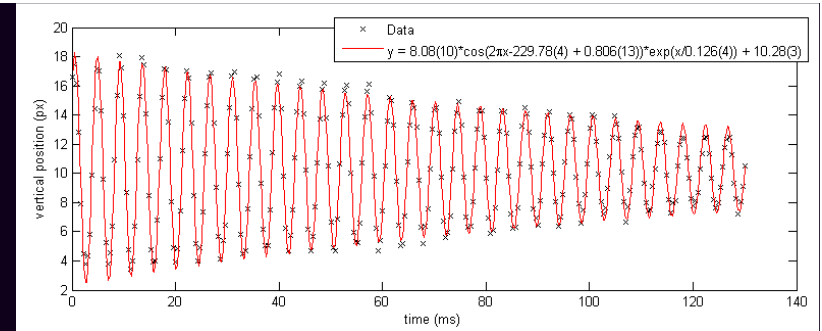
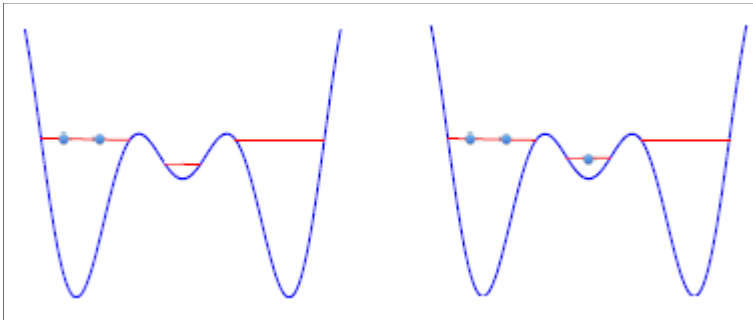
MINISTERSTVO ŠKOLSTVÍ,  
MLÁDEŽE A TĚLOVÝCHOVY



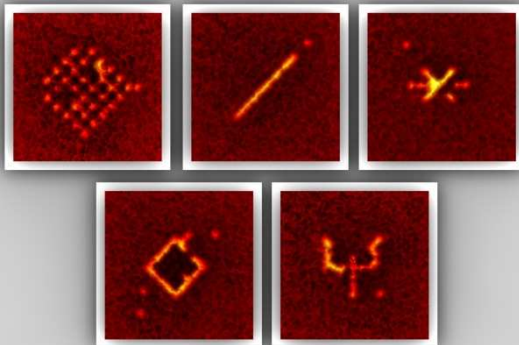
OP Vzdělávání  
pro konkurenceschopnost

INVESTICE DO ROZVOJE VZDĚLÁVÁNÍ

*Tento projekt je spolufinancován Evropským sociálním fondem  
a státním rozpočtem České republiky.*



# Resources for quantum technologies



**Jacob Sherson**

**Olomouc 26/6-2012**



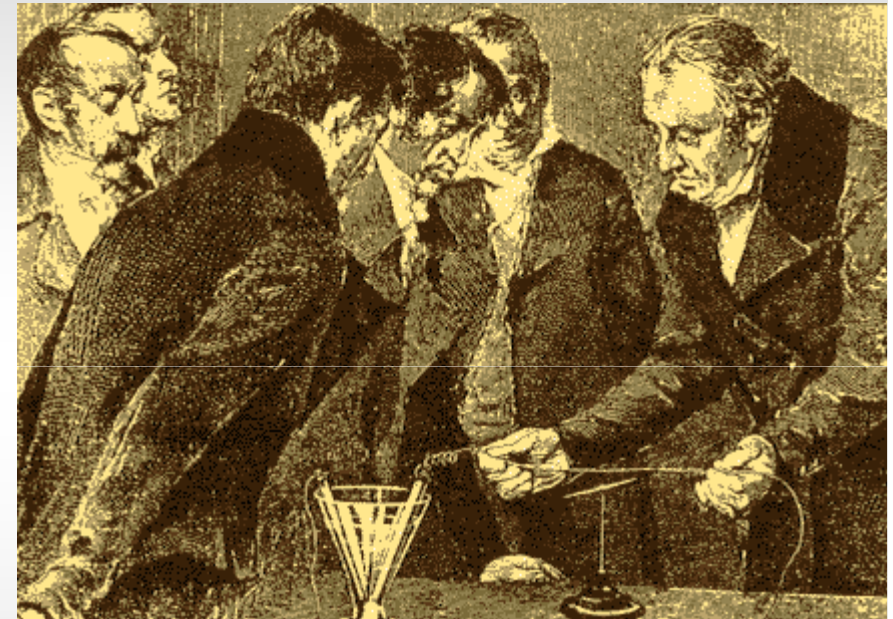
# Outline

---

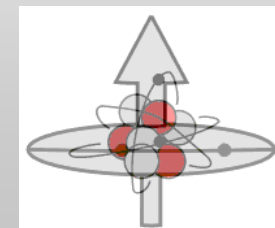
- Non-destructive imaging
- Triple-well atomtronics
- The quantum computer game

# Faraday rotation (1845)

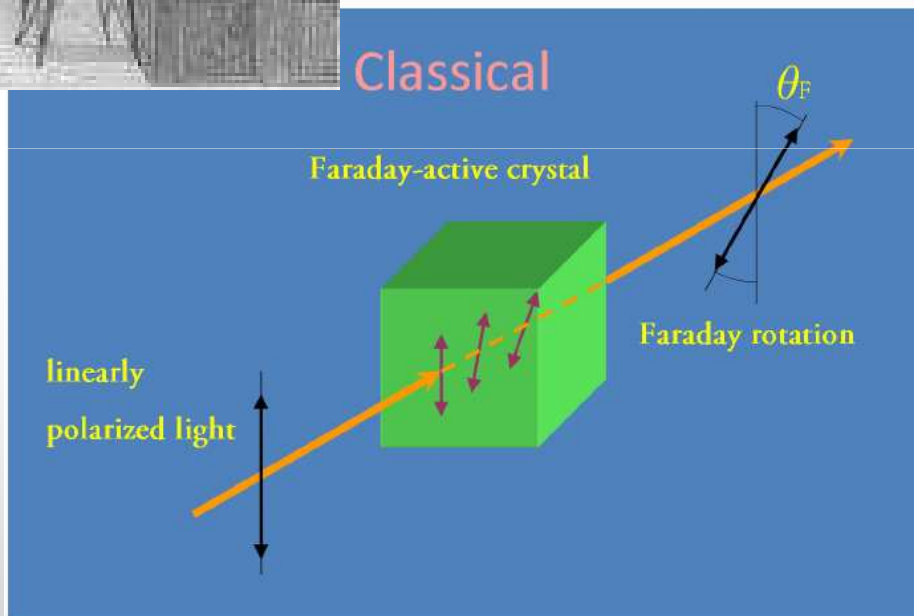
H. C. Ørsted (1820)



Moving charges generate magnetic fields.



Classical



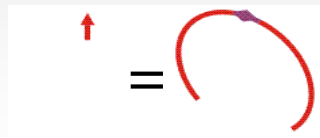
Different phase shift for the two circular components:

- Jones vector notation

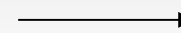
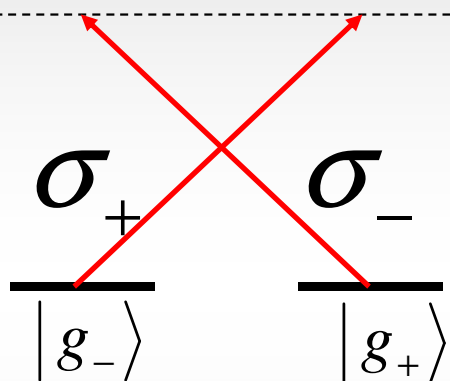
$$\begin{pmatrix} 1 \\ 0 \end{pmatrix} = \frac{1}{2} \left[ \begin{pmatrix} 1 \\ -i \end{pmatrix} + \begin{pmatrix} 1 \\ i \end{pmatrix} \right] \rightarrow \frac{1}{2} \left[ e^{i\theta_F} \begin{pmatrix} 1 \\ -i \end{pmatrix} + e^{-i\theta_F} \begin{pmatrix} 1 \\ i \end{pmatrix} \right] = \begin{pmatrix} \cos\theta_F \\ \sin\theta_F \end{pmatrix}$$

# Faraday rotation, quantum version

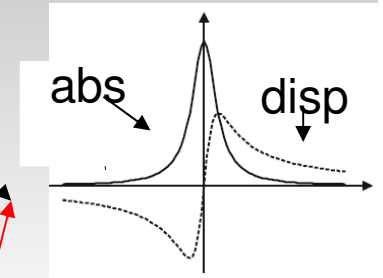
Birefringence:  $|e_-\rangle$  ——— ———  $|e_+\rangle$



Linear polarization

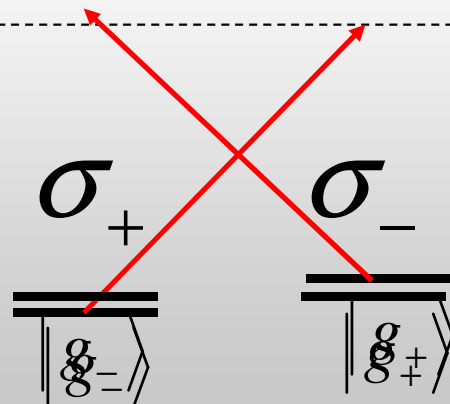


Linear polarization is rotated



AC-Stark shift:

$|e_-\rangle$  ——— ———  $|e_+\rangle$



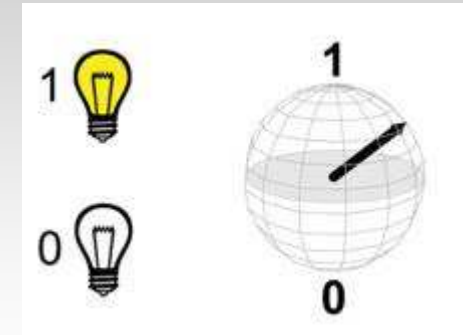
Atomic orientation is rotated

$$H = a J_z S_z$$

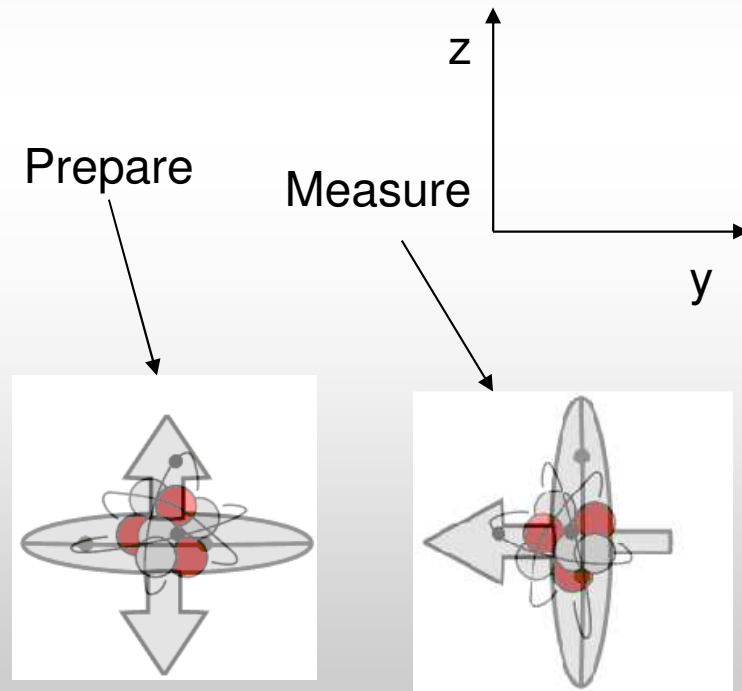


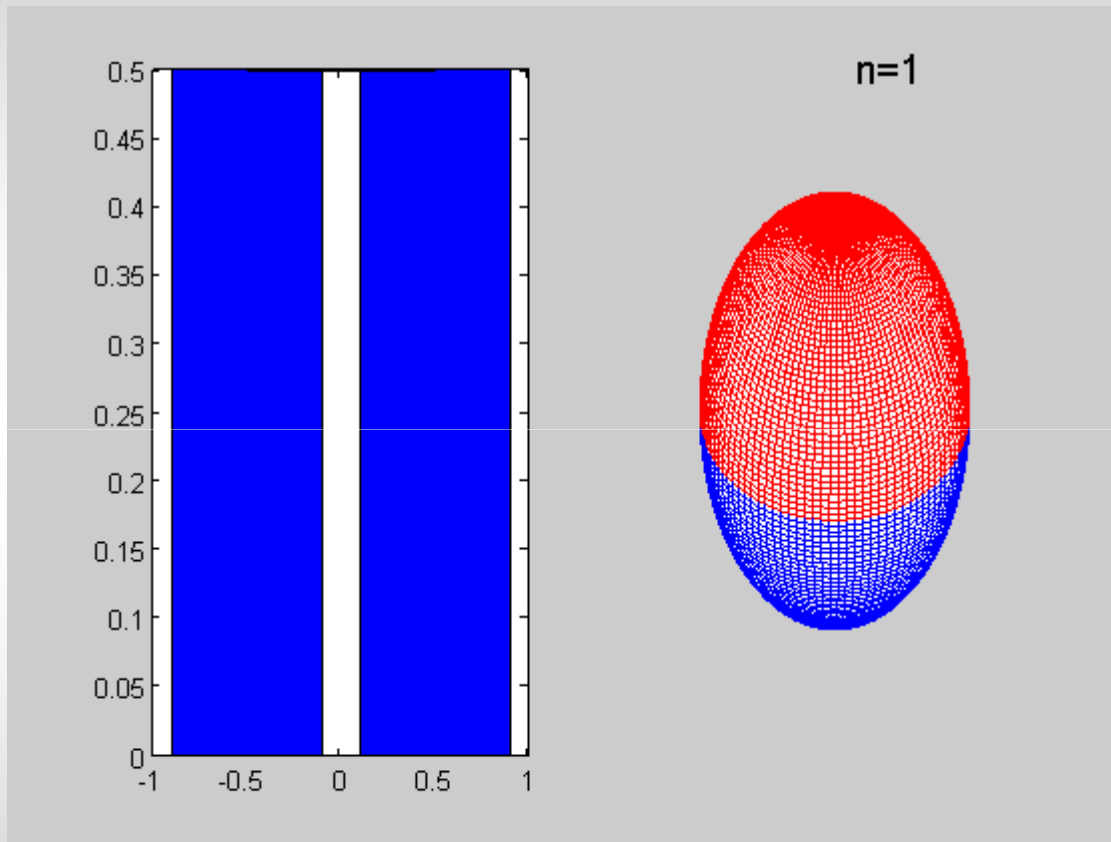
# Complementarity

Single atom: 2 possible spins in each direction



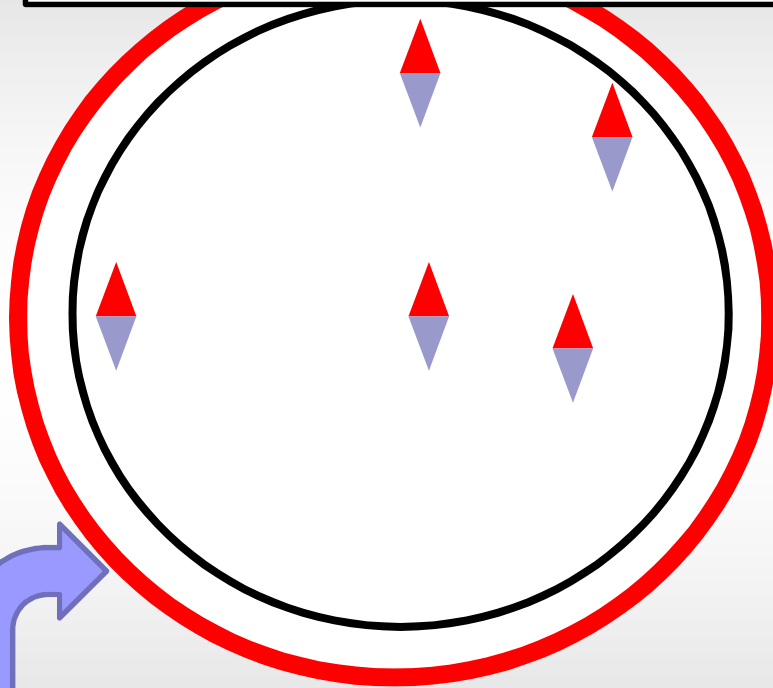
If two quantities are complementary, they cannot be known precisely at the same time





- Relative size of quantum fluctuations decreases
- discrete -> Continuous variables

Room temperature  
vapor cell ( $N \sim 10^{12}$ )



Two options:

- Longitudinal probing (classical)
- Transverse probing (quantum)

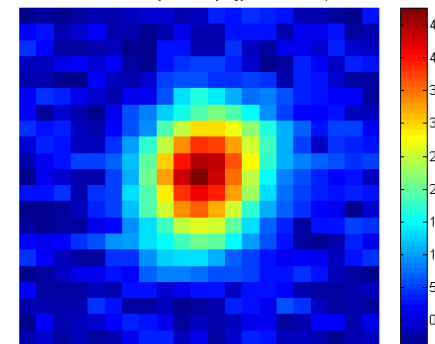


Polzik  
group

Nature 2004: Experimental  
demonstration of quantum  
memory for light

Nature 2006: Quantum  
teleportation between light  
and matter

Ultracold cloud  
( $N \sim 10^5$ )





# Århus experiment

## Research group members:



Jan Arlt  
Associate Prof

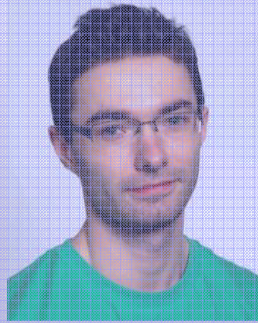


Jacob Sherson  
Assistant Prof

### Ultracold Bosons in Optical Lattices



Poul Pedersen



Miroslav Gajdacz

### Multi Species Quantum Gases



Nils Winter



Lars Wacker

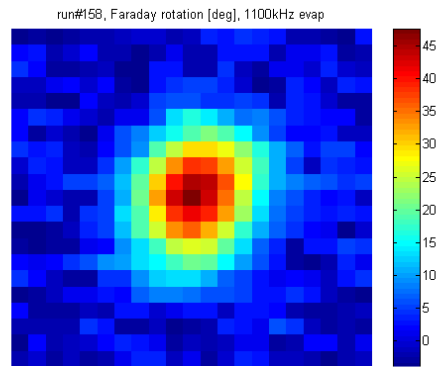
### High resolution lab



Romain Müller

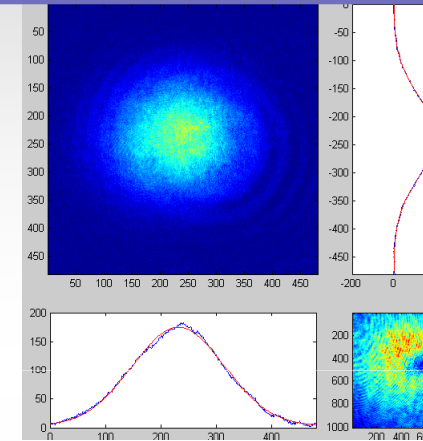
# Non-destructive imaging and feedback

Faraday image of a thermal cloud

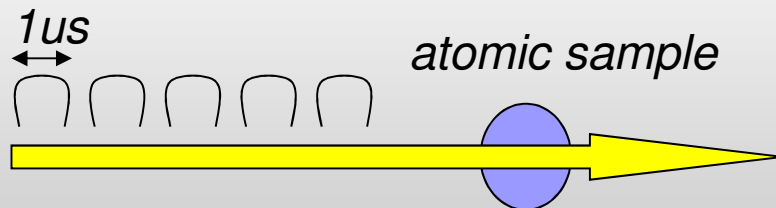


2012\week#7\2012-02-15\158 single picture\loadTiff\FaradayHistogram.quick.m

Absorption image (destructive)

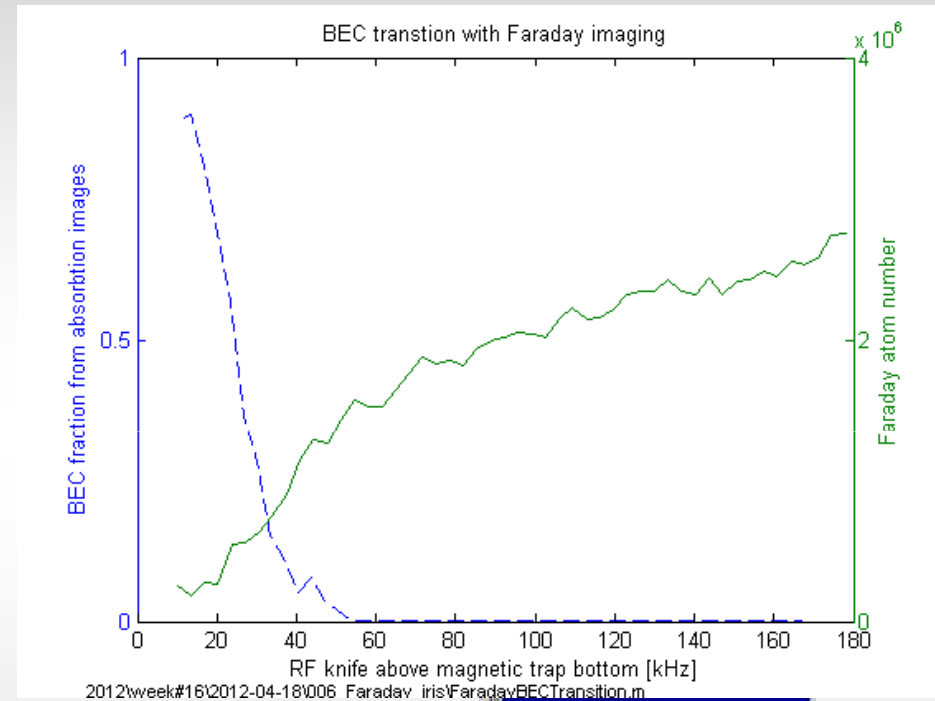
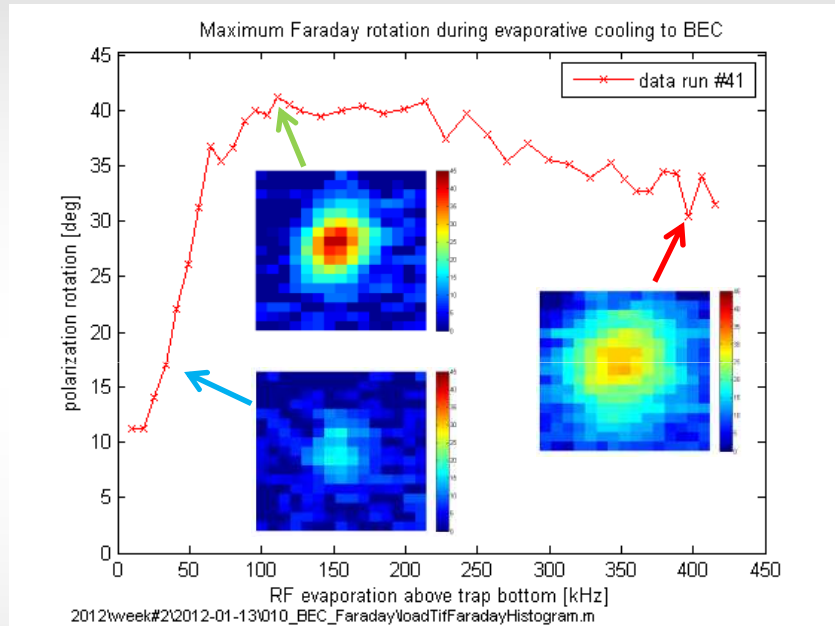


Absorption probability 0.003 per pulse!

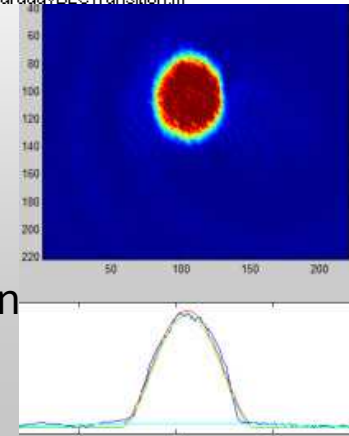


Continuous measurements

# Single run monitoring of BEC transition

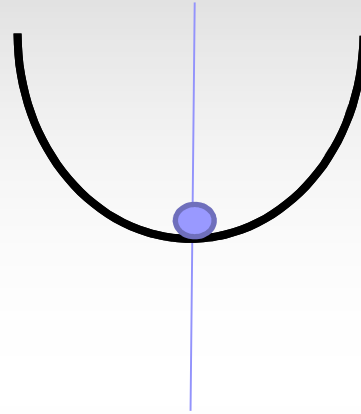


- multiple non-destructive pictures during cooling sequence
- sudden drop of maximum Faraday angle
- BEC confirmed by absorption image at the end



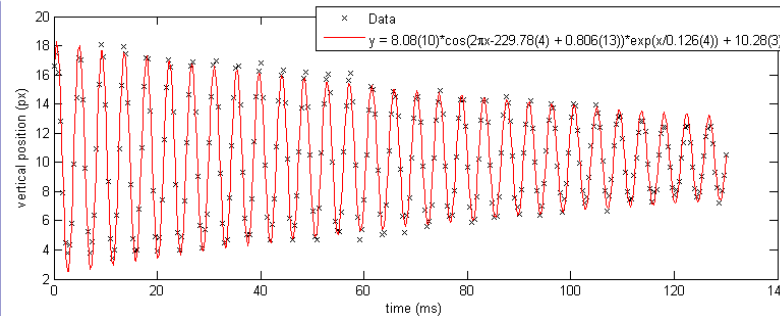
# Non-destructive imaging and feedback

Suddenly shift the position of the trap

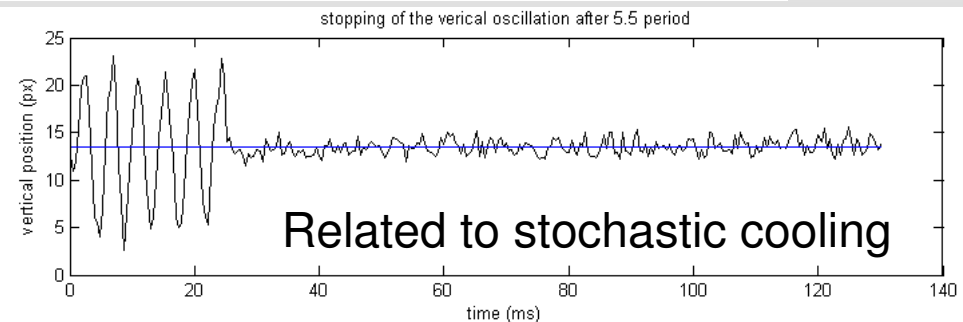


- Fast characterization of trap parameters
- Possibility for quantum (feedback) control

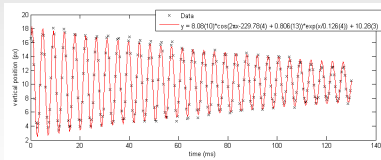
**300 images of the same oscillating cloud**



**Stopping the motion of an oscillating cloud**



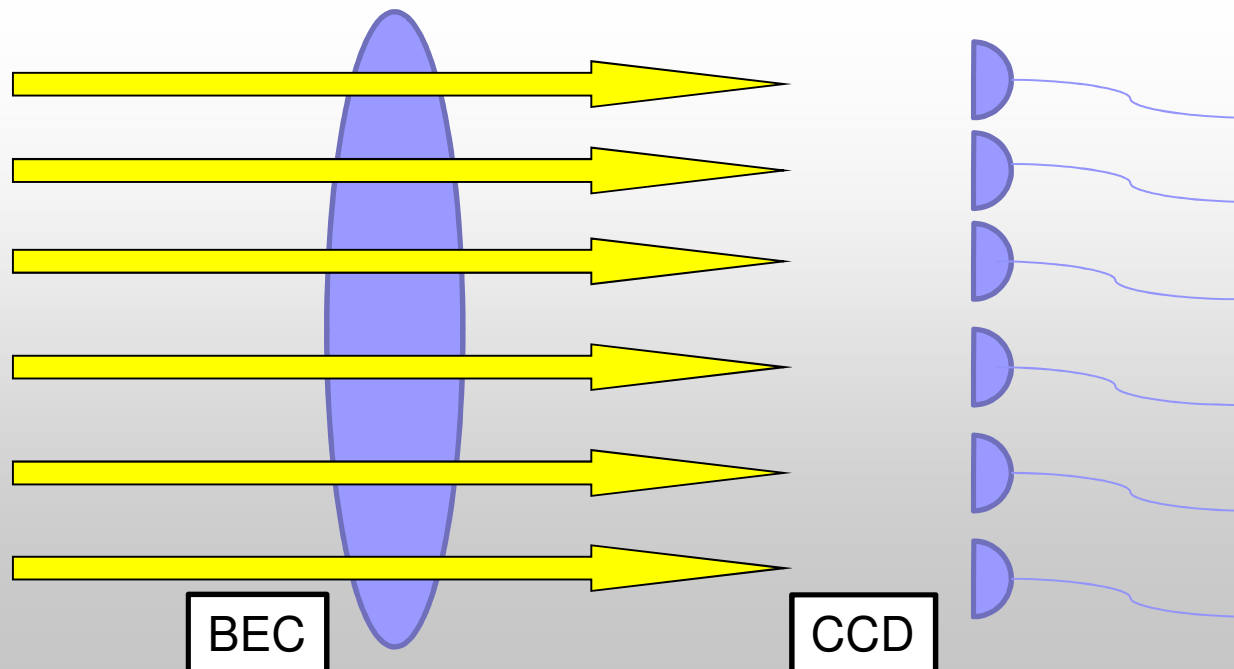
# Some future perspectives



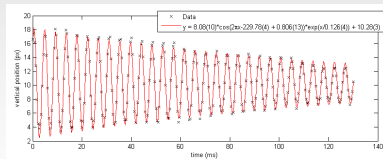
Measure and influence  
fundamental excitation  
modes of a BEC

- Squeezing
- Entanglement
- Fock- and Schrödinger cat states

## Bogoluibov modes

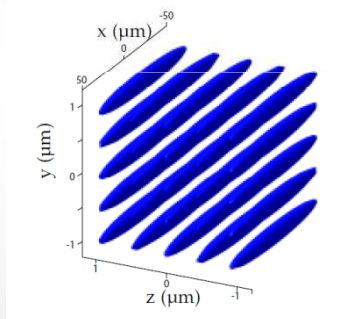


# Some future perspectives



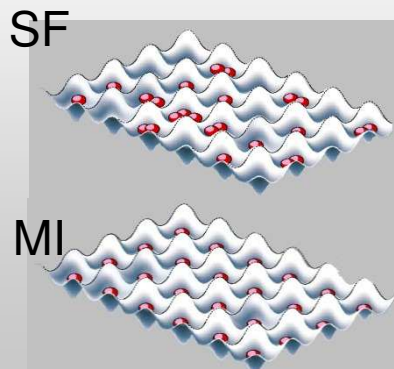
Measure and influence fundamental excitation modes of a BEC

- Squeezing
- Entanglement
- Fock- and Schrödinger cat states



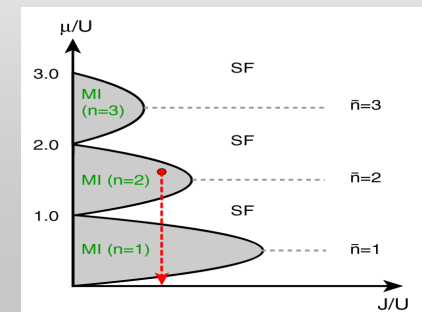
QND probing of a single 1D tube in a 2D optical lattice

- High capacity quantum memory
- Large Schrödinger cat states



QND probing of interacting quantum many-body states

- Modify quantum phase diagrams



# Outline

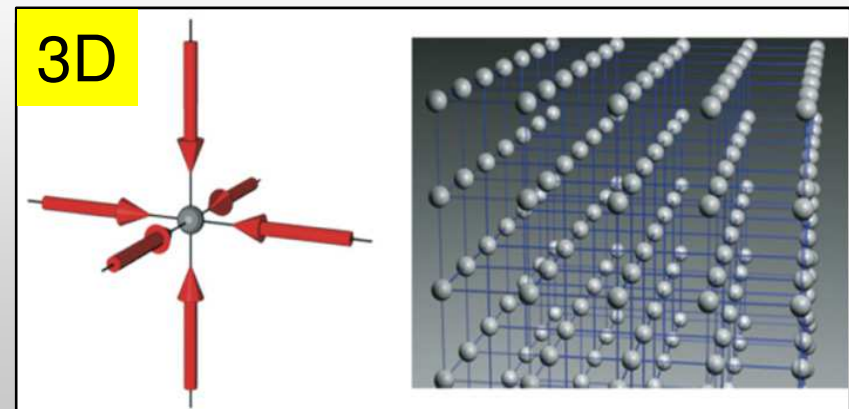
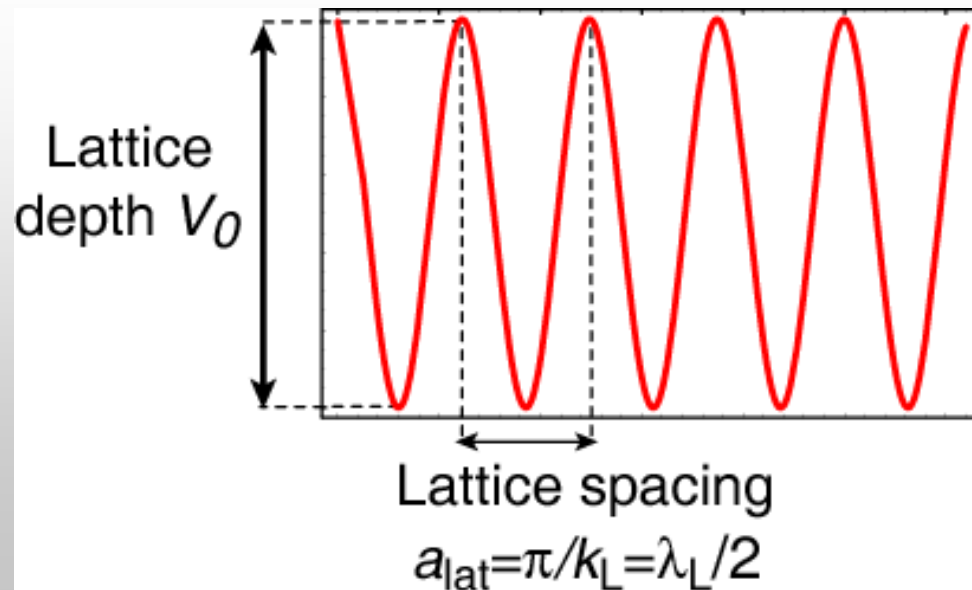
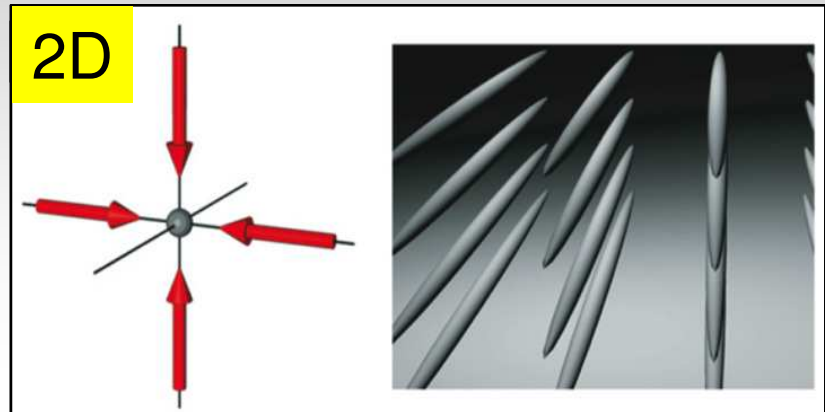
---

- Non-destructive imaging
- Triple-well atomtronics
- The quantum computer game

# Optical lattices



Potential:  $V(x) = V_0 \sin^2(k_L x)$





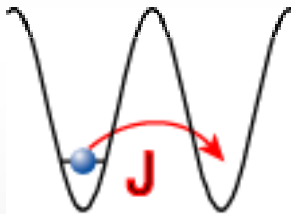
# Bose-Hubbard Hamiltonian

Expanding the field operator in the Wannier basis of localized wave functions on each lattice site, yields :

$$\hat{\psi}(\mathbf{x}) = \sum_i \hat{a}_i w(\mathbf{x} - \mathbf{x}_i)$$

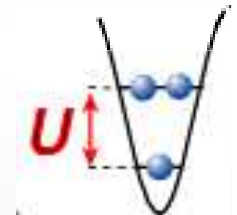
## Bose-Hubbard Hamiltonian

$$H = -J \sum_{\langle i,j \rangle} \hat{a}_i^\dagger \hat{a}_j + \sum_i \epsilon_i \hat{n}_i + \frac{1}{2} U \sum_i \hat{n}_i (\hat{n}_i - 1)$$



Tunnelmatrix element/Hopping element

$$J = -\int d^3x w(\mathbf{x} - \mathbf{x}_i) \left( -\frac{\hbar^2}{2m} \nabla^2 + V_{lat}(\mathbf{x}) \right) w(\mathbf{x} - \mathbf{x}_j)$$



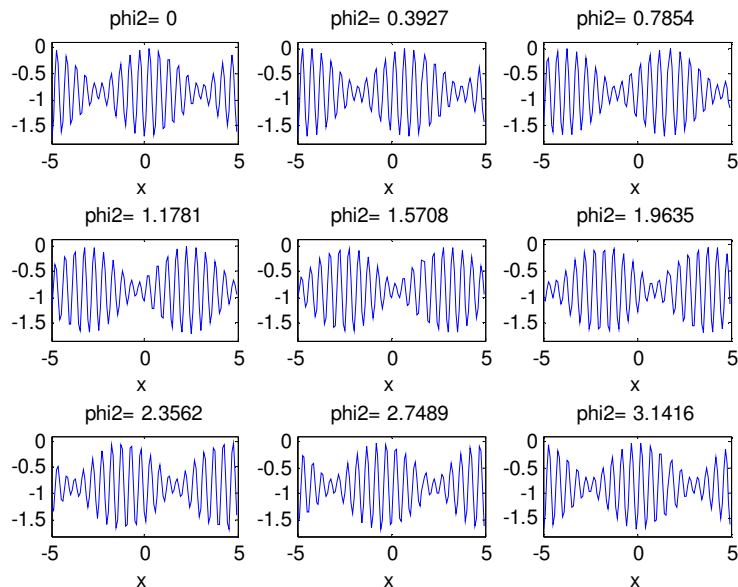
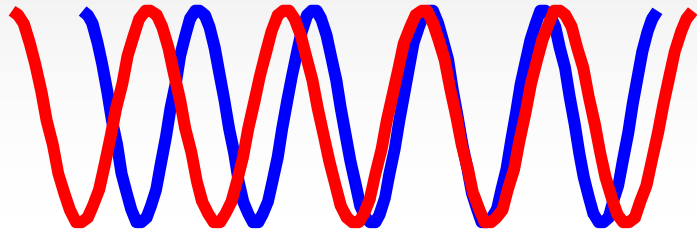
Onsite interaction matrix element

$$U = \frac{4\pi \hbar^2 a}{m} \int d^3x |w(\mathbf{x})|^4$$

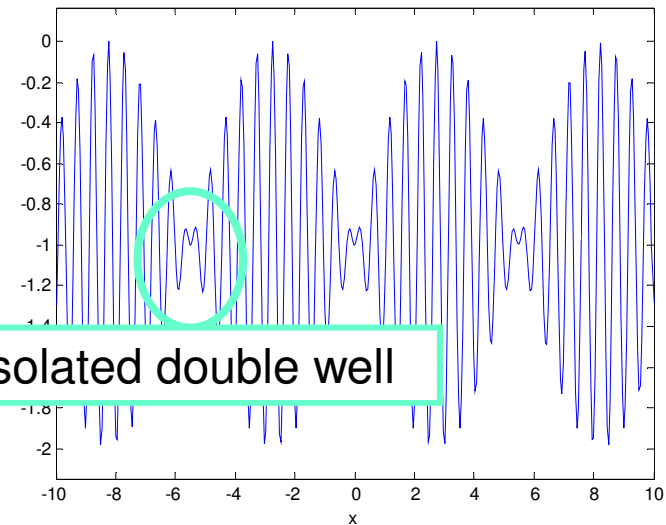
M.P.A. Fisher et al., PRB 40, 546 (1989); D. Jaksch et al., PRL 81, 3108 (1998)

# Large period superlattice

Overlap two standing waves of close lying frequency



$$\lambda_1/\lambda_2=1.055$$



Isolated double well

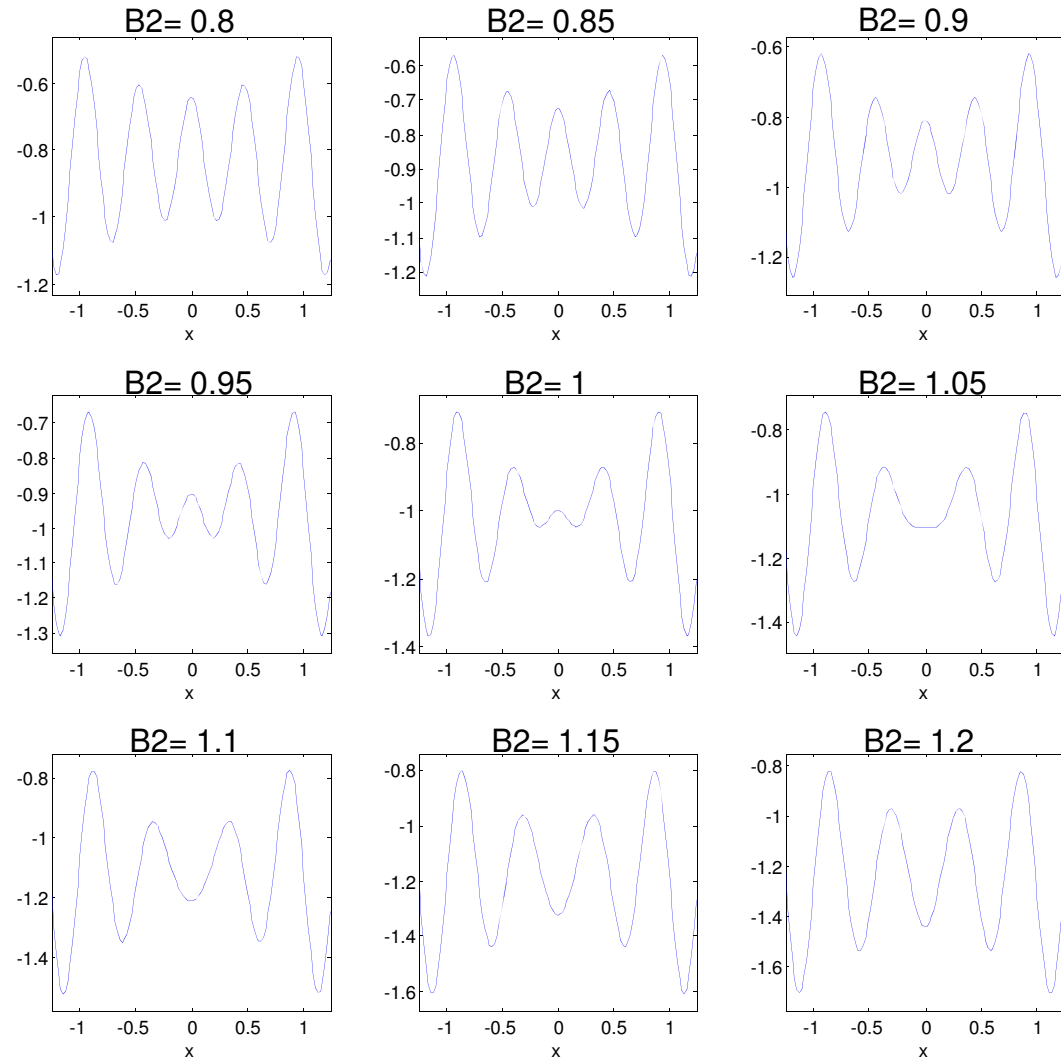
Scanning the relative phase using frequency adjustment allows for ultra-precise addressing of individual sites

# Double well dynamics

- The relative amplitude gives full control of the barrier height
- The relative phase controls the asymmetry of the double well

## Perspectives

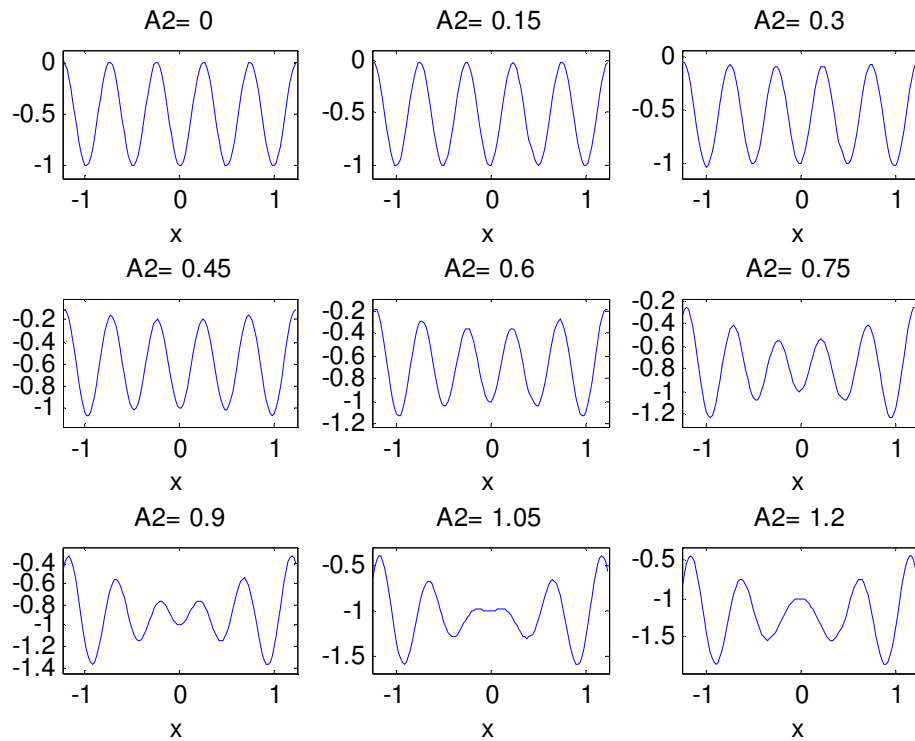
- Local double well merger
- Local directed transport



$$\lambda_1/\lambda_2=1.055$$

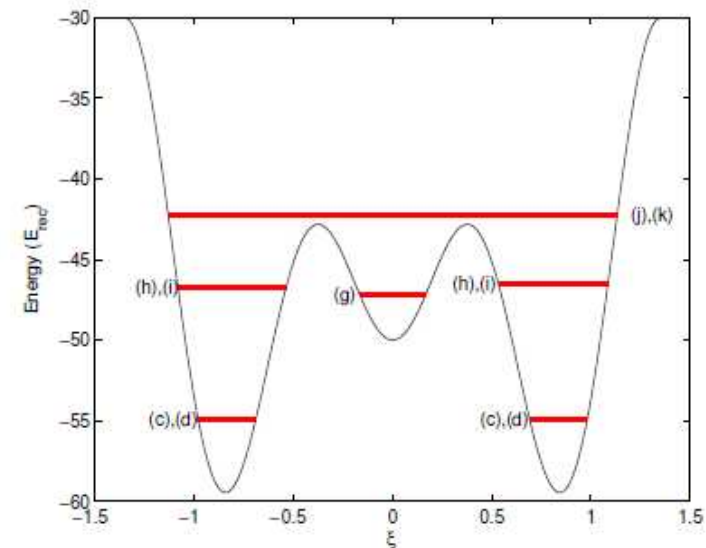
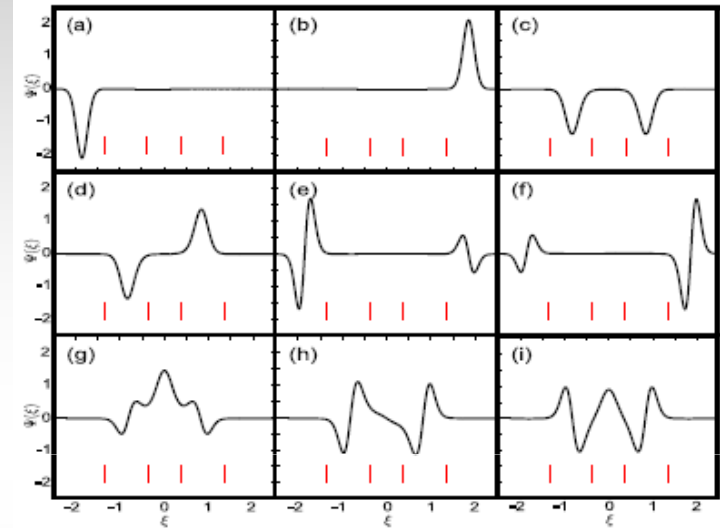
# Triple well dynamics: towards atomtronics

Different choice of relative phase:  
triple well



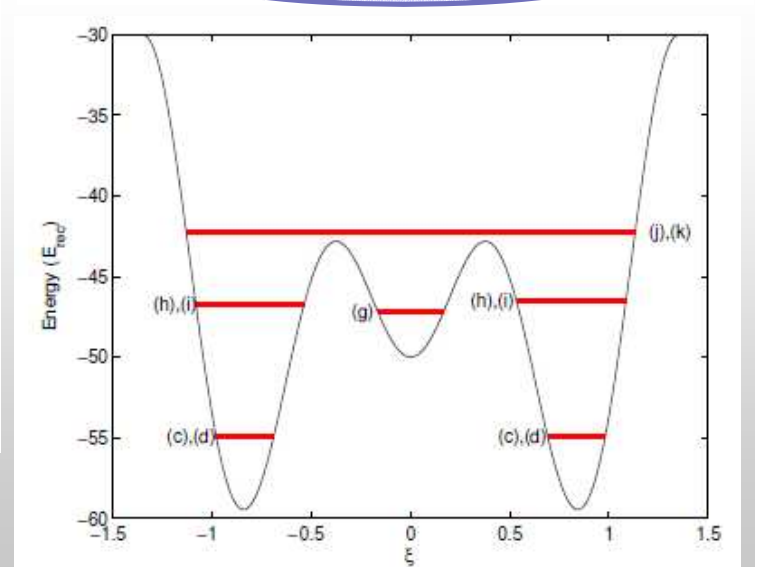
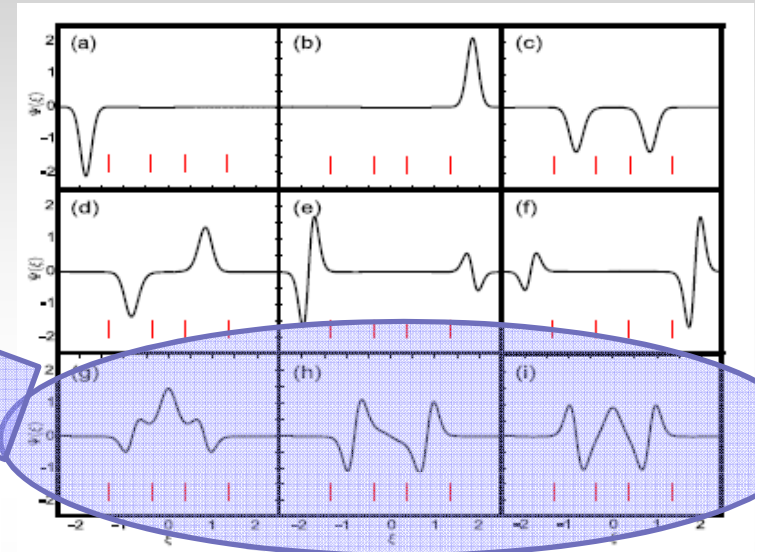
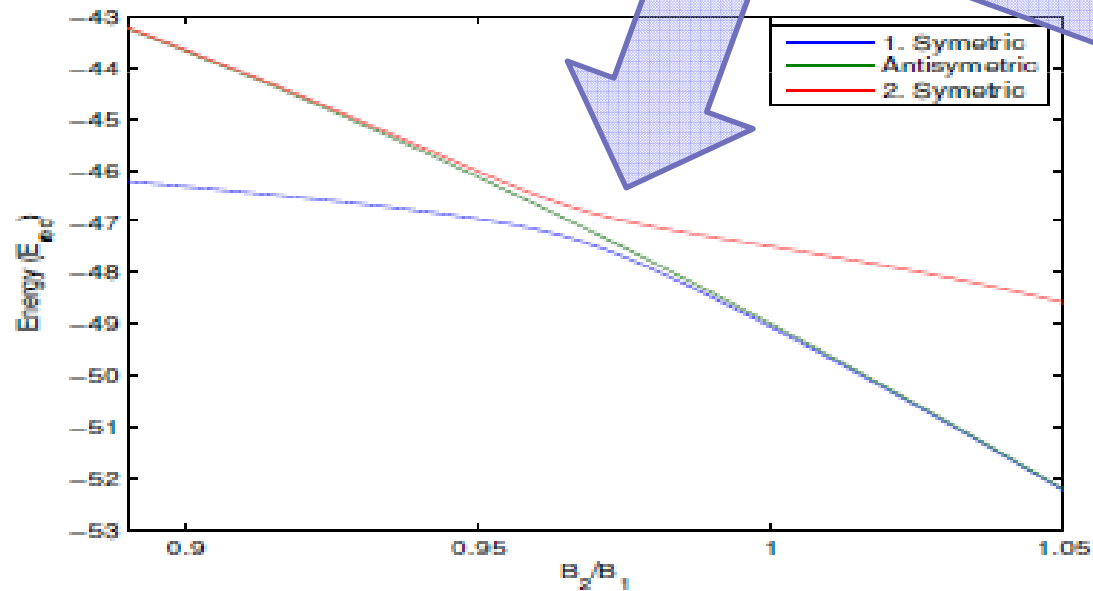
$$\lambda_1/\lambda_2 = 1.1$$

Adjusting the relative amplitude gives  
full control of the middle well depth



# Triple well dynamics: towards atomtronics

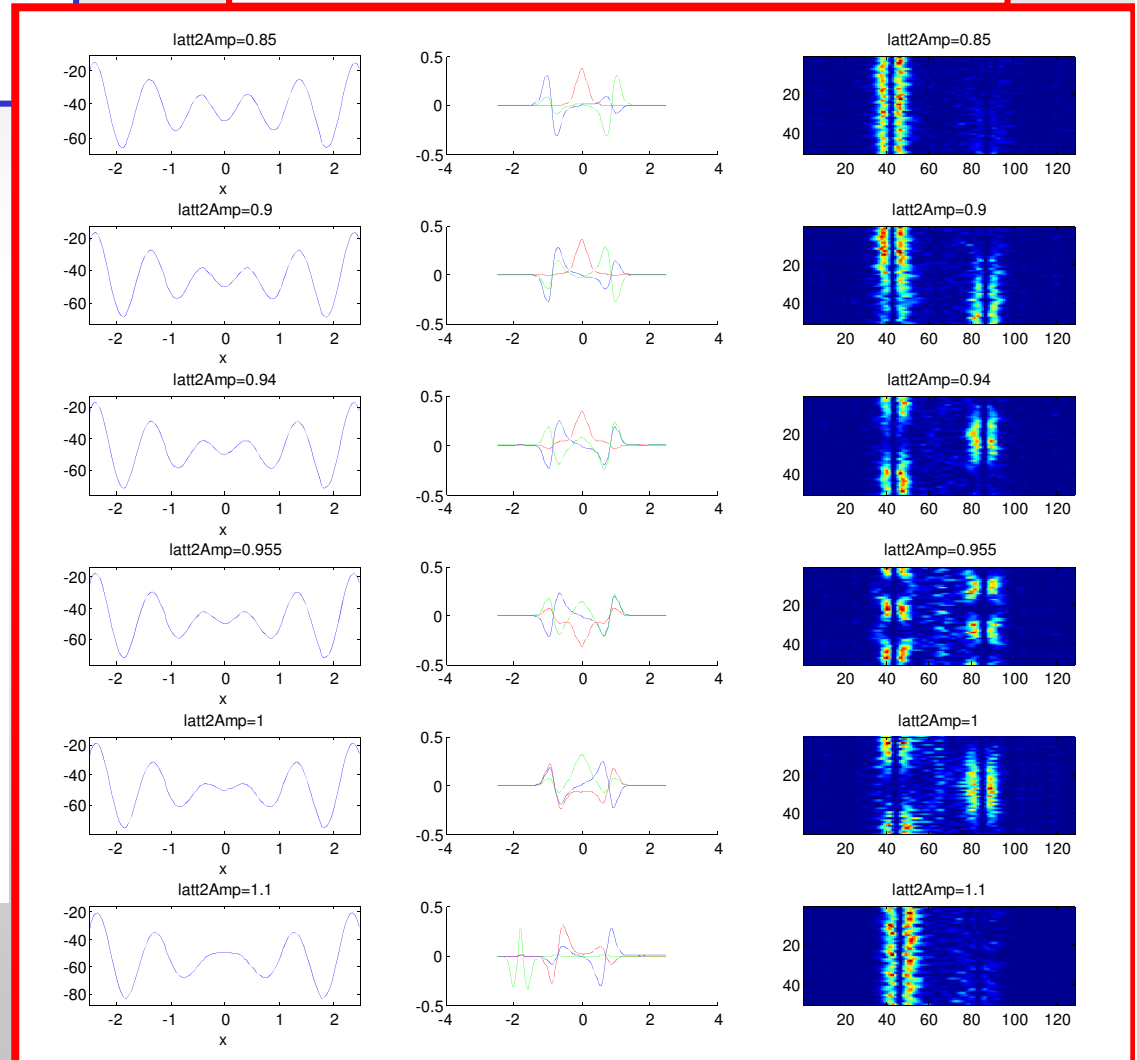
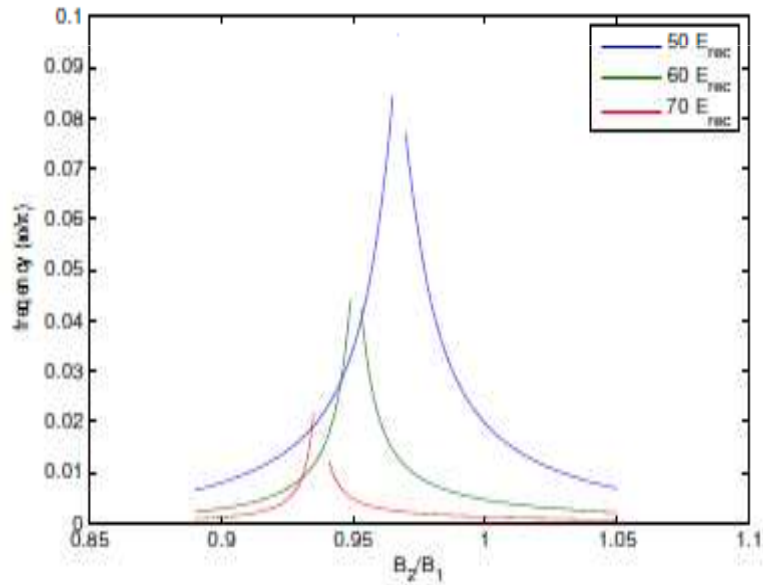
Spectrum vs relative amplitude



# Triple well dynamics

- Place an atom in the 1st excited state of the left well (200 Erec)
- Quench to 50 Erec
- Evolve in time

Transistor like tunneling behavior

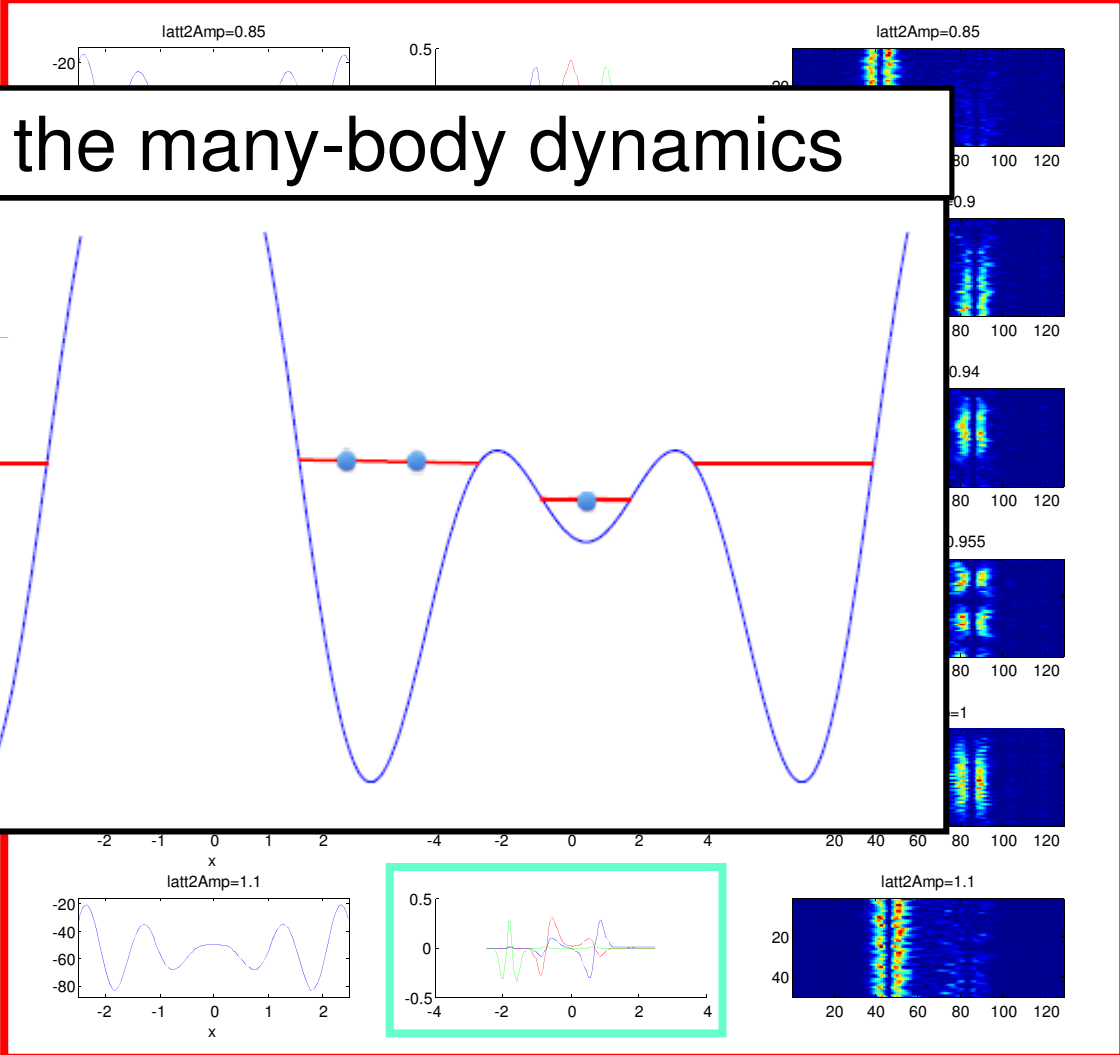
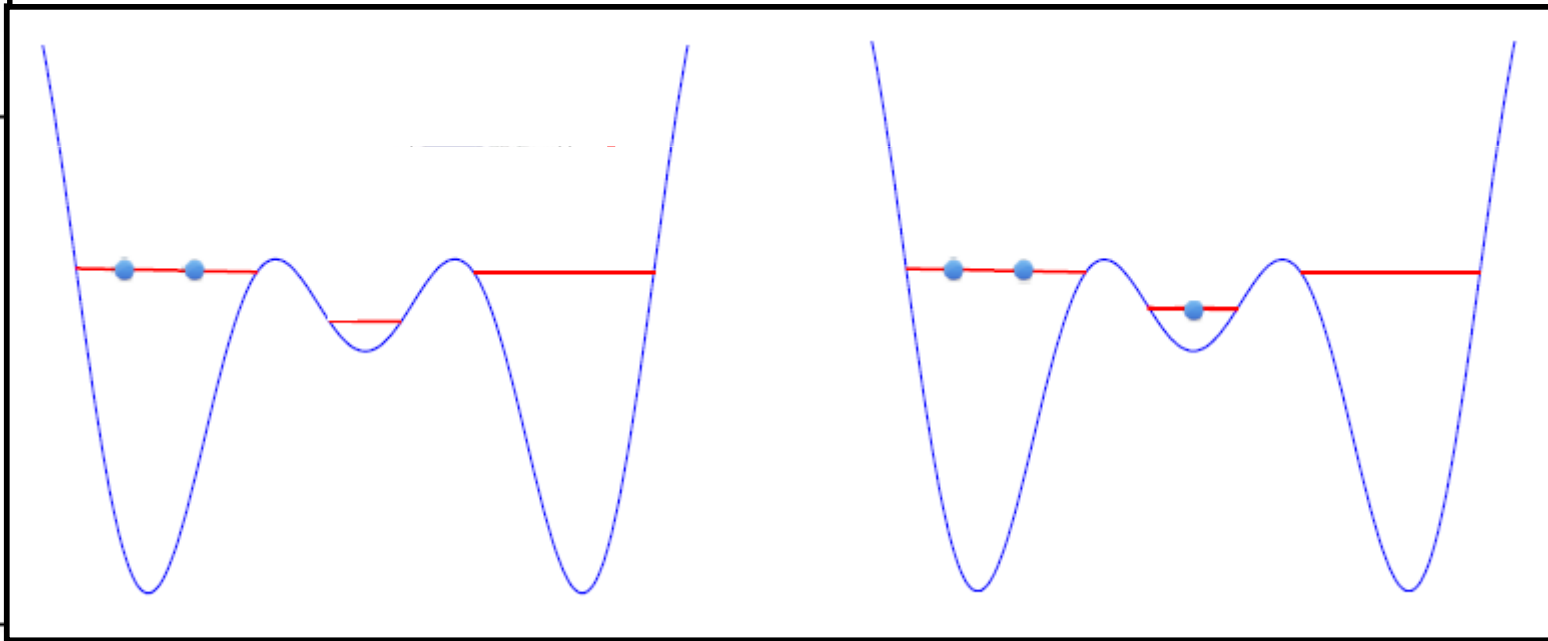
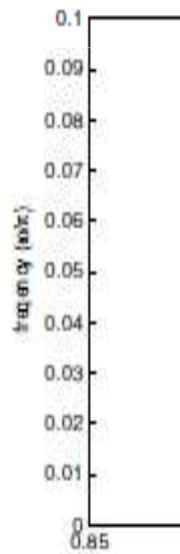


# Triple well dynamics

- Place an atom in the 1st excited state of the left well (200 Erec)
- Quench to 50 Erec
- Evolve in time

Transistor like tunneling behavior

Want to calculate the many-body dynamics



# Creating localized initial states

Calculate overlap with eigenstates

$$p_{L,i} = \langle \Phi_i | \psi_L \rangle$$

$$p_{R,i} = \langle \Phi_i | \psi_R \rangle$$

Define "localized states"

$$\Psi_L = \sum_{i \in \{a,s,g\}} p_{L,i} \Phi_i$$

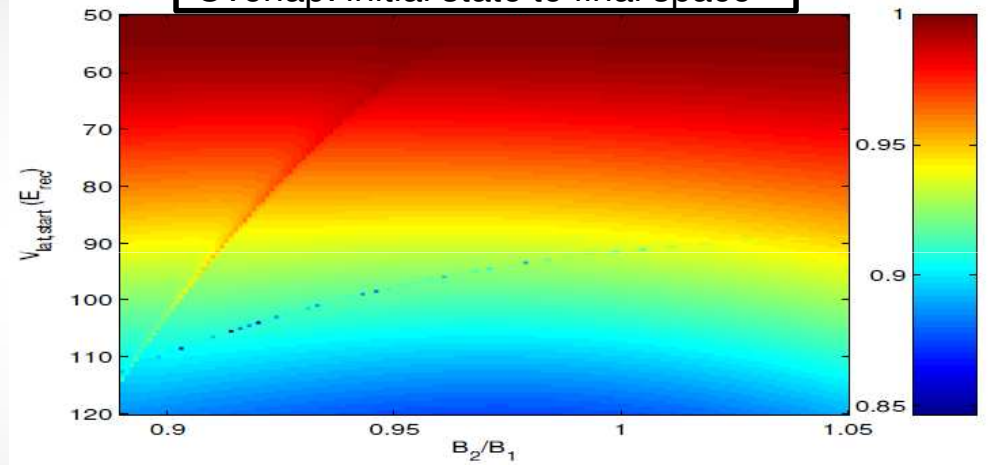
$$\Psi_R = \sum_{i \in \{a,s,g\}} p_{R,i} \Phi_i$$

$$\mathbf{p}_M = \mathbf{p}_L \times \mathbf{p}_R$$

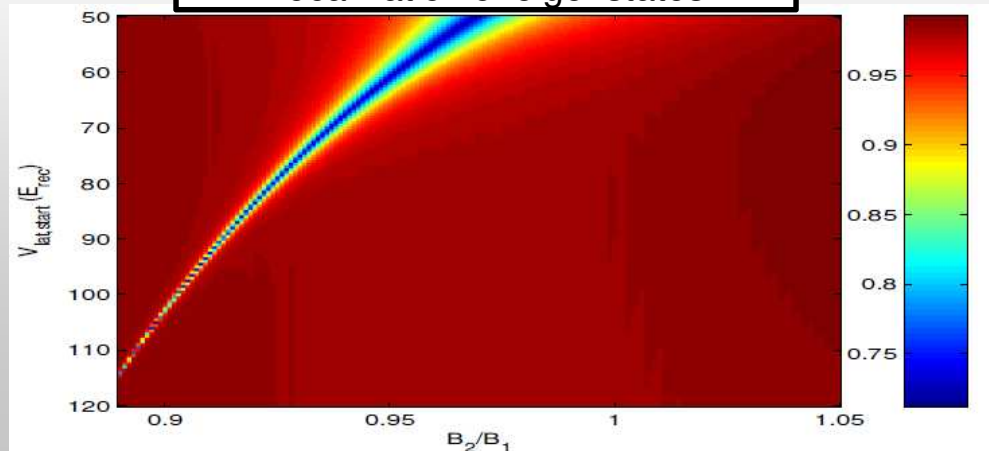
$$\Psi_M = \sum_{i \in \{a,s,g\}} \mathbf{p}_{M,i} \Phi_i$$

- Place an atom in the 1st excited state of the left well (120-50 Erec)
- Quench to 50 Erec

Overlap: initial state to final space



Localization of eigenstates





# Creating localized initial states

Calculate overlap with eigenstates

$$p_{L,i} = \langle \Phi_i | \psi_L \rangle$$

$$p_{R,i} = \langle \Phi_i | \psi_R \rangle$$

Define "localized states"

$$\Psi_L = \sum_{i \in \{a,s,g\}} p_{L,i} \Phi_i$$

$$\Psi_R = \sum_{i \in \{a,s,g\}} p_{R,i} \Phi_i$$

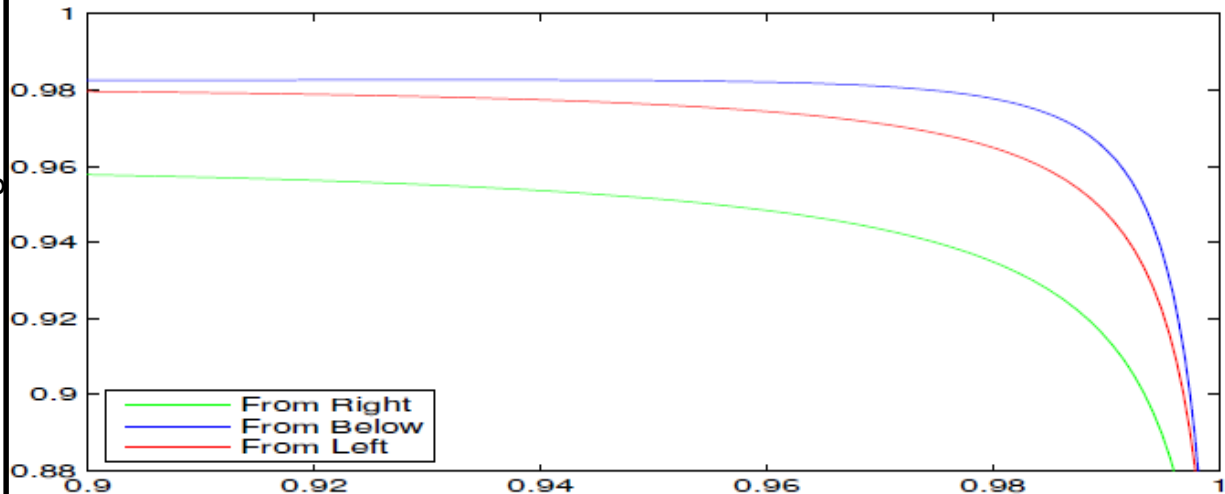
$$\mathbf{p}_M = \mathbf{p}_L \times \mathbf{p}_R$$

$$\Psi_M = \sum_{i \in \{a,s,g\}} \mathbf{p}_{M,i} \Phi_i$$

- Projection from deep lattice (below)
- Projection from lattice 1 highest power (left)
- Projection from lattice 2 highest power (right)

$$B_2/B_1 = 0.969$$

Localization of eigenstates



Overlap: initial state to final space

# Many body simulations

Define Fock states

$$|n_1, n_2, n_3\rangle = \left( \prod_{i \in \{1,2,3\}} \frac{1}{\sqrt{n_i!}} (\hat{a}_i^\dagger)^{n_i} \right) |0, 0, 0\rangle$$

Bose-Hubbard  
Hamiltonian

$$H = - \sum_{\langle i,j \rangle} J_{i,j} \hat{a}_i^\dagger \hat{a}_j + \frac{1}{2} \sum_i U_{i,i} \hat{n}_i (\hat{n}_i - 1) \\ + \frac{1}{2} \sum_i \sum_j U_{i,j} \hat{n}_i \hat{n}_j + \sum_i \epsilon_i \hat{n}_i,$$

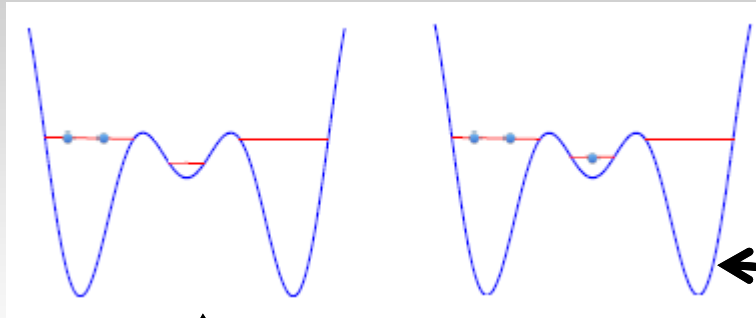
nxn matrix

$$H_{i,j} = \langle F_i | H_{\text{BH}} | F_j \rangle$$

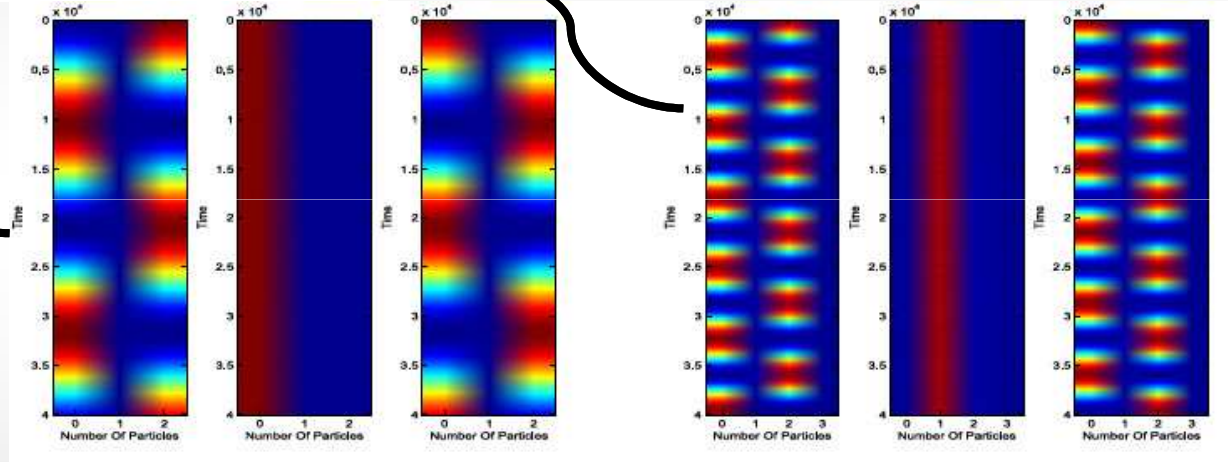
Evolve according to

$$|\Psi(t)\rangle = e^{\frac{iHt}{\hbar}} |\Psi_0\rangle$$

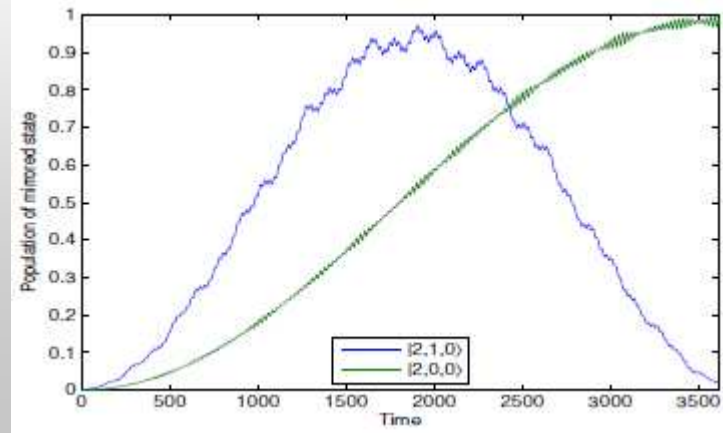
# Many body simulations



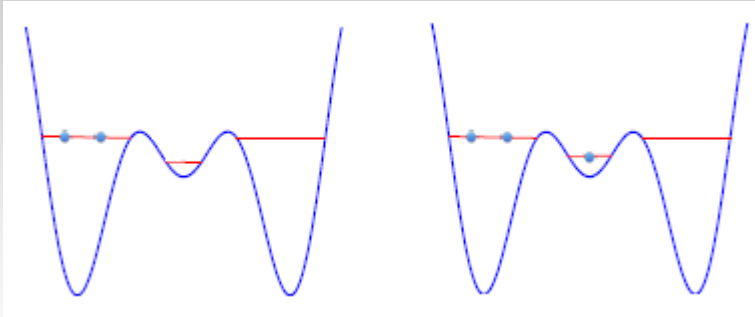
”Timed oscillations”



$N_{\text{left}}=1-9$

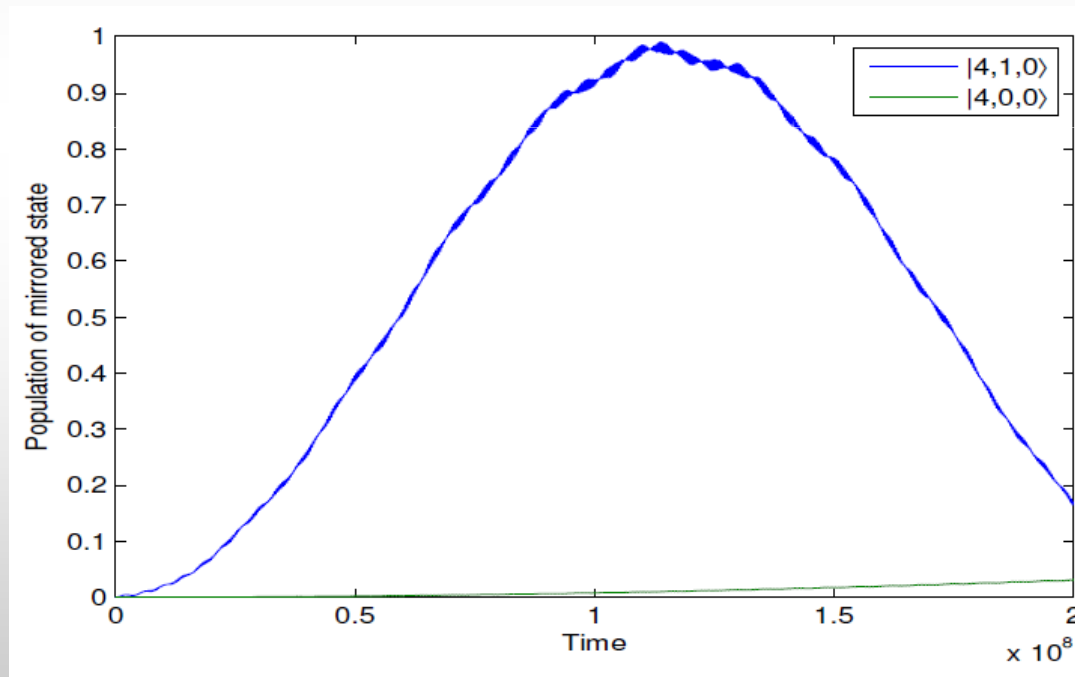


# Many body simulations

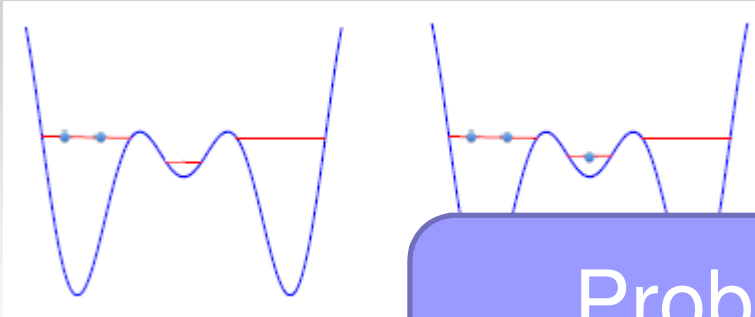


”Blocked oscillations”  
(high interaction)

$$N_{\text{left}}=4$$



# Many body simulations



”Blocked oscillations”

Problem: time scales become very long

Solution: single-particle tunneling in a tilted well  
-> dynamically transfer N atoms

$$N_{\text{left}}=4$$



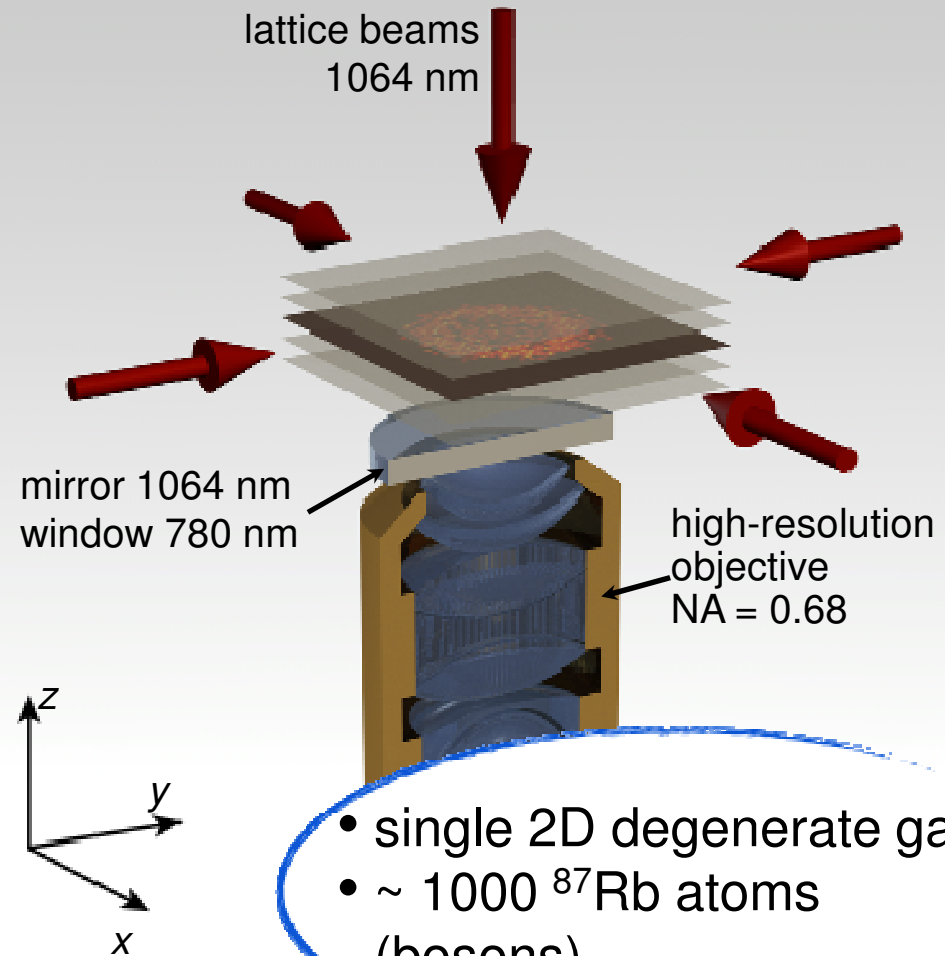
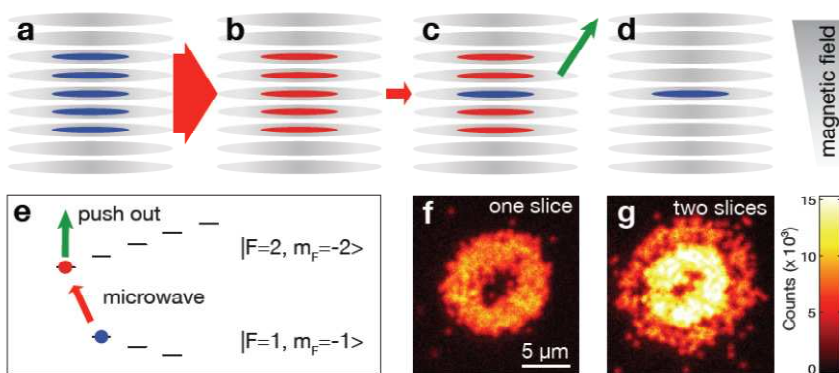
# Outline

---

- Non-destructive imaging
- Triple-well atomtronics
- The quantum computer game

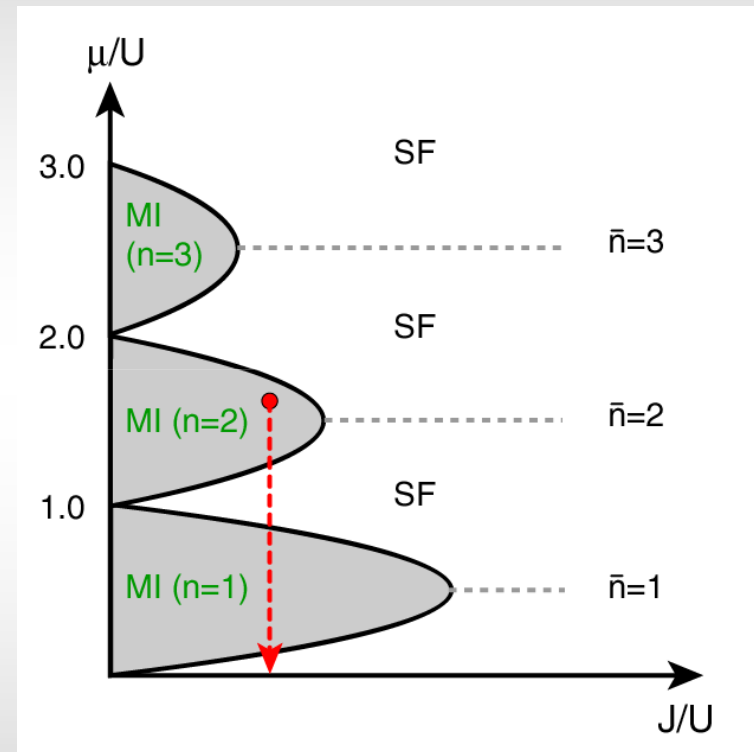
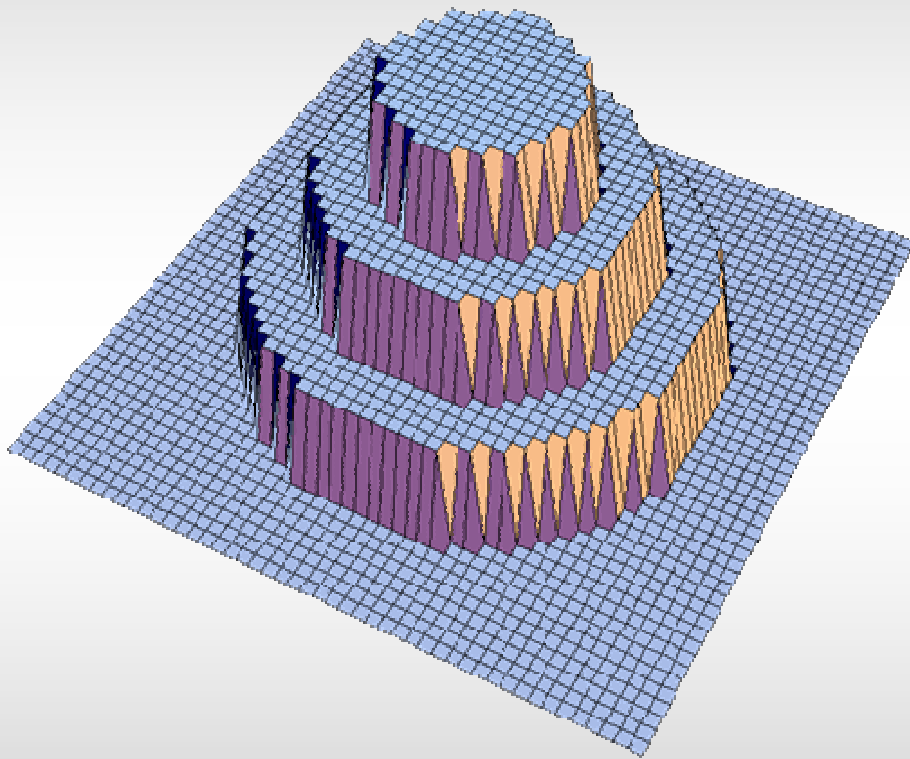
# Experimental set-up

Preparation of a single 2D system:



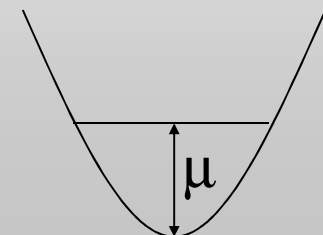
- single 2D degenerate gas
- $\sim 1000$   $^{87}\text{Rb}$  atoms (bosons)

# Superfluid – Mott-Insulator Phase Diagram



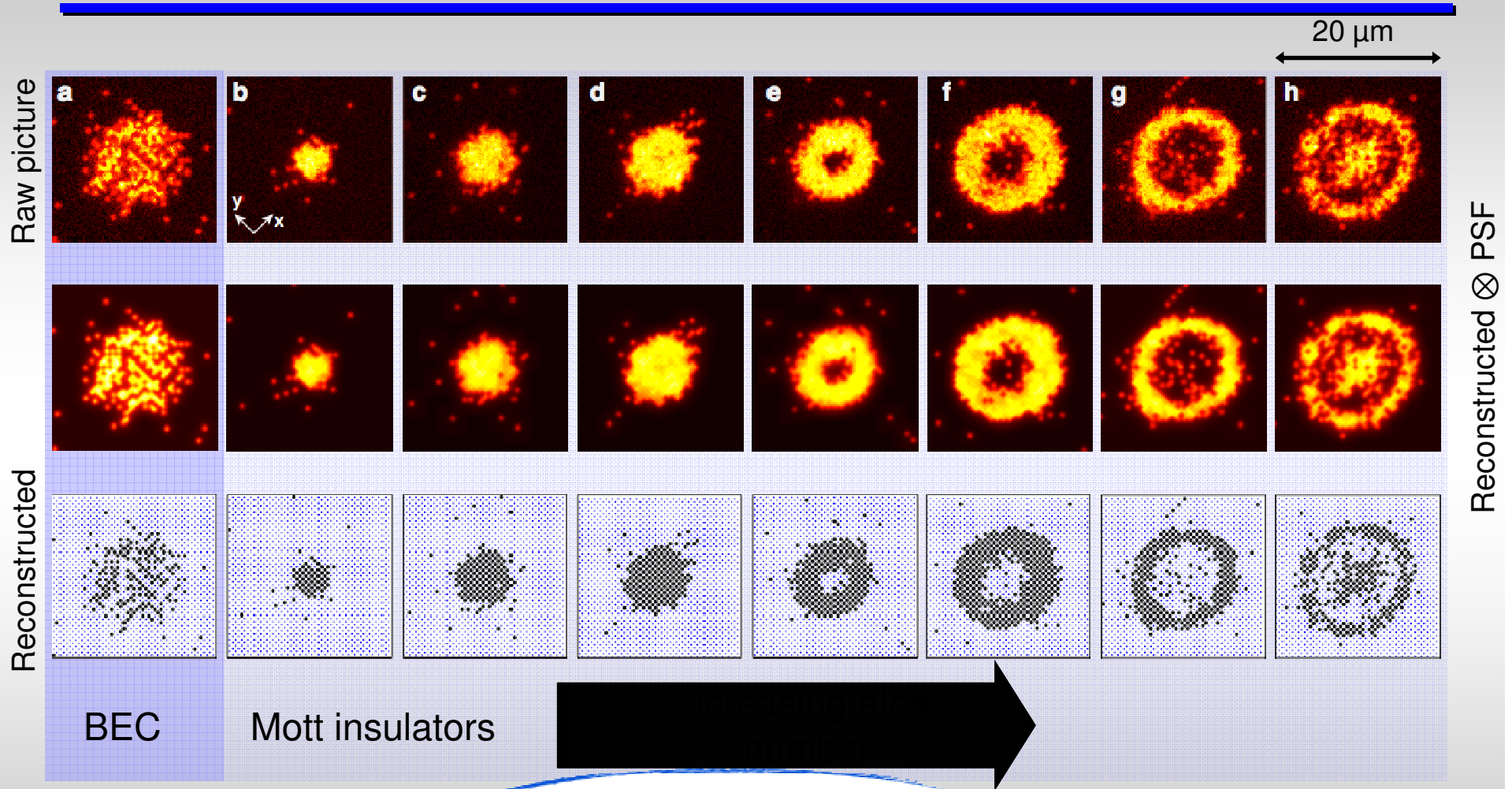
Inhomogeneous system:  
effective local chemical potential

$$\mu_{loc} = \mu - \epsilon_i$$





# In-situ observation of a Mott insulator



for the Mott insulators:  $U/J \sim 300$  (critical  $U/J \sim 16$ )  
-> only thermal fluctuations

# Detection of many-body physics

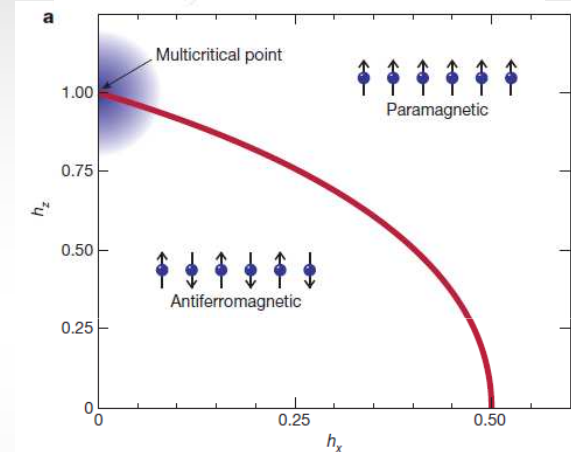
## Quantum simulation of antiferromagnetic spin chains in an optical lattice

Jonathan Simon<sup>1</sup>, Waseem S. Bakr<sup>1</sup>, Ruichao Ma<sup>1</sup>, M. Eric Tai<sup>1</sup>, Philipp M. Preiss<sup>1</sup> & Markus Greiner<sup>1</sup>

21 APRIL 2011 | VOL 472 | NATURE | 307

### 1D Ising chain

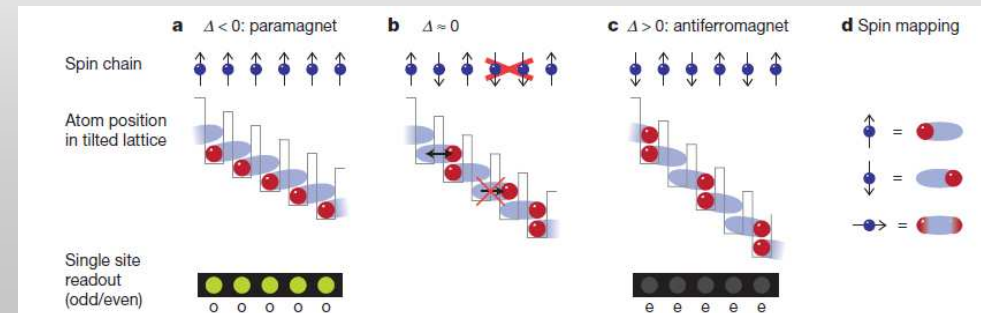
$$H = J \sum_i S_z^i S_z^{i+1} - h_z^i S_z^i - h_x^i S_x^i$$



### Tilted optical lattice

$$(h_z, h_x) = (1 - \Delta, 2^{3/2} \tilde{t})$$

$$\tilde{t} = t/J, \quad \tilde{\Delta} = \Delta/J = (E - U)/J$$



# Detection of many-body physics

## Quantum simulation of antiferromagnetic spin chains in an optical lattice

Jonathan Simon<sup>1</sup>, Waseem S. Bakr<sup>1</sup>, Ruichao Ma<sup>1</sup>, M. Eric Tai<sup>1</sup>, Philipp M. Preiss<sup>1</sup> & Markus Greiner<sup>1</sup>

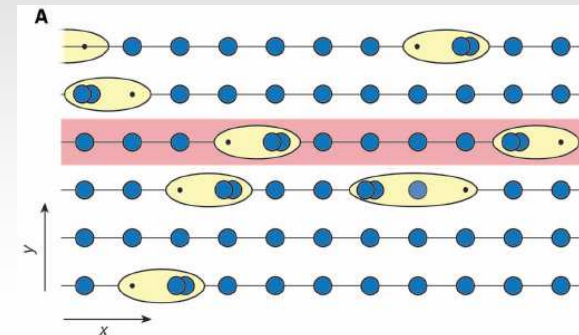
21 APRIL 2011 | VOL 472 | NATURE | 307

## Observation of Correlated Particle-Hole Pairs and String Order in Low-Dimensional Mott Insulators

M. Endres,<sup>1\*</sup> M. Cheneau,<sup>1</sup> T. Fukuhara,<sup>1</sup> C. Weitenberg,<sup>1</sup> P. Schauß,<sup>1</sup> C. Gross,<sup>1</sup> L. Mazza,<sup>1</sup> M. C. Bañuls,<sup>1</sup> L. Pollet,<sup>2</sup> I. Bloch,<sup>1,3</sup> S. Kuhr<sup>1,4</sup>

14 OCTOBER 2011 | VOL 334 | SCIENCE

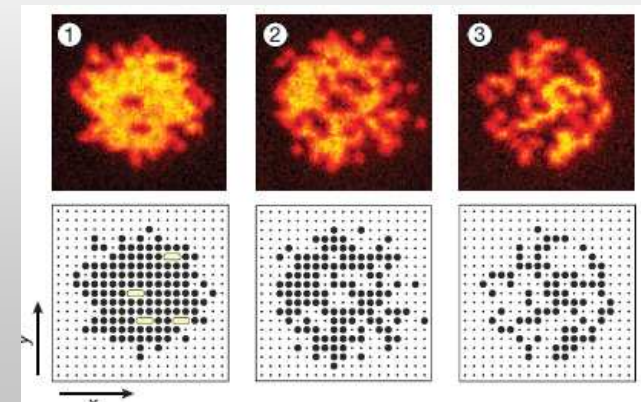
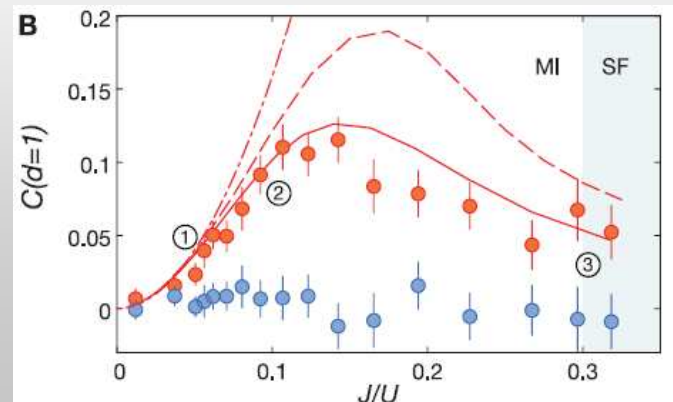
1D tunneling close to MI transition  
(particle-hole pairs)



Two-site parity correlation function

$$C(d) = \langle \hat{s}_k \hat{s}_{k+d} \rangle - \langle \hat{s}_k \rangle \langle \hat{s}_{k+d} \rangle$$

$$\hat{s}_k = e^{i\pi\delta n_k}$$



# Detection of many-body physics

## Quantum simulation of antiferromagnetic spin chains in an optical lattice

Jonathan Simon<sup>1</sup>, Waseem S. Bakr<sup>1</sup>, Ruichao Ma<sup>1</sup>, M. Eric Tai<sup>1</sup>, Philipp M. Preiss<sup>1</sup> & Markus Greiner<sup>1</sup>

21 APRIL 2011 | VOL 472 | NATURE | 307

## Observation of Correlated Particle-Hole Pairs and String Order in Low-Dimensional Mott Insulators

M. Endres,<sup>1\*</sup> M. Cheneau,<sup>1</sup> T. Fukuhara,<sup>1</sup> C. Weitenberg,<sup>1</sup> P. Schauß,<sup>1</sup> C. Gross,<sup>1</sup> L. Mazza,<sup>1</sup> M. C. Bañuls,<sup>1</sup> L. Pollet,<sup>2</sup> I. Bloch,<sup>1,3</sup> S. Kuhr<sup>1,4</sup>

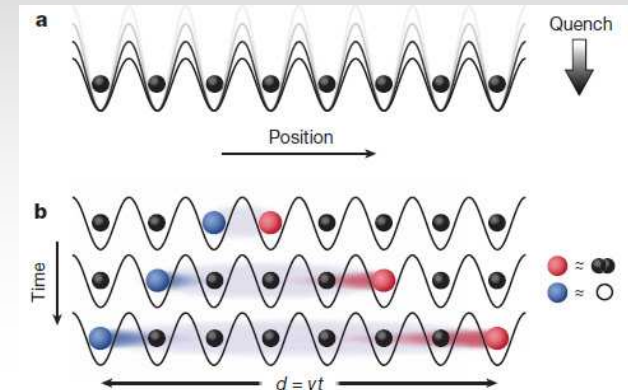
14 OCTOBER 2011 VOL 334 SCIENCE

## Light-cone-like spreading of correlations in a quantum many-body system

Marc Cheneau<sup>1</sup>, Peter Barmettler<sup>2</sup>, Dario Poletti<sup>2</sup>, Manuel Endres<sup>1</sup>, Peter Schauß<sup>1</sup>, Takeshi Fukuhara<sup>1</sup>, Christian Gross<sup>1</sup>, Immanuel Bloch<sup>1,3</sup>, Corinna Kollath<sup>2,4</sup> & Stefan Kuhr<sup>1,5</sup>

484 | NATURE | VOL 481 | 26 JANUARY 2012

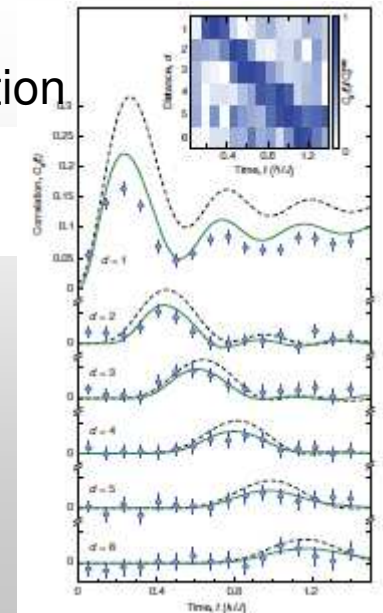
Quench from  $U/J=40$  to  $U/J=9$



Two-site parity correlation function

$$C(d) = \langle \hat{s}_k \hat{s}_{k+d} \rangle - \langle \hat{s}_k \rangle \langle \hat{s}_{k+d} \rangle$$

$$\hat{s}_k = e^{i\pi \delta \hat{n}_k}$$



# Global manipulation

## The 'Higgs' Amplitude Mode at the Two-Dimensional Superfluid-Mott Insulator Transition

Manuel Endres<sup>1,\*</sup>, Takeshi Fukuhara<sup>1</sup>, David Pekker<sup>2</sup>, Marc Cheneau<sup>1</sup>, Peter Schauß<sup>1</sup>, Christian Gross<sup>1</sup>, Eugene Demler<sup>3</sup>, Stefan Kuhr<sup>4</sup>, and Immanuel Bloch<sup>1,5</sup>

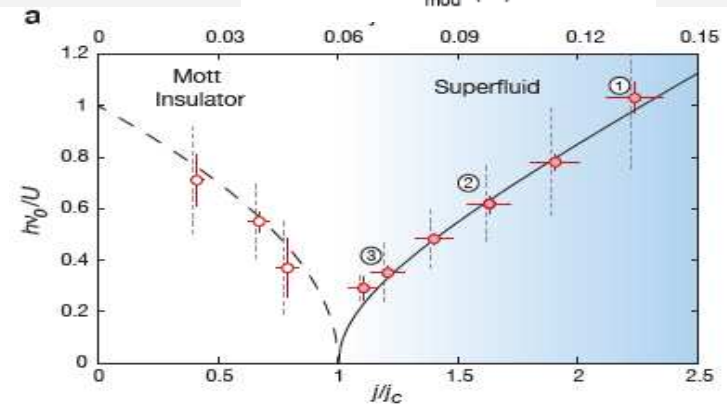
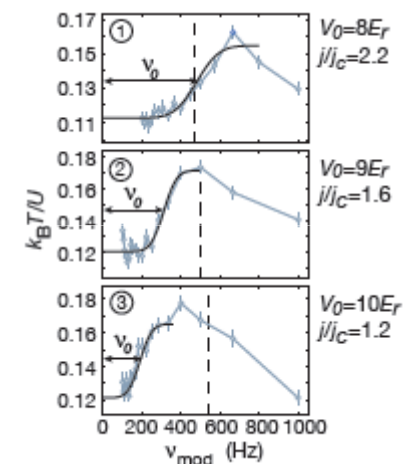
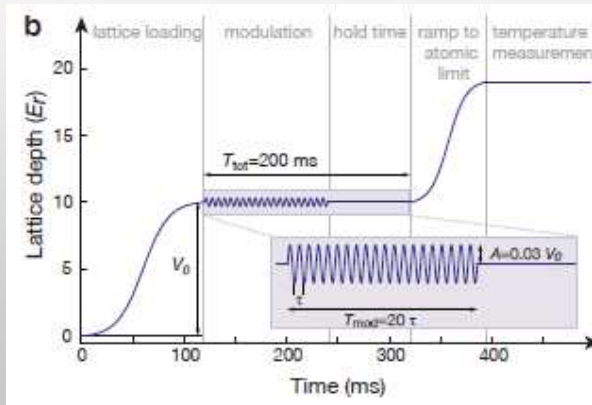
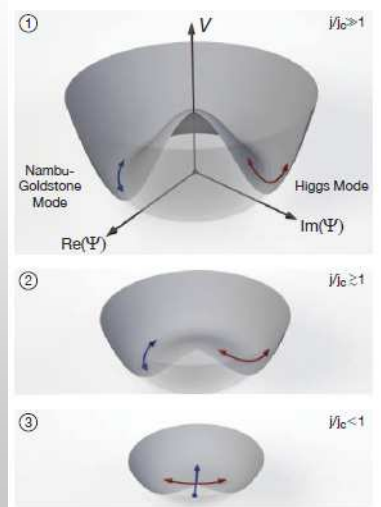
arXiv:1204.5183v2 [cond-mat.quant-gas] 25 Apr 2012

SF-MI phase transition has a complex order parameter

$$\Psi = |\Psi|e^{i\phi}$$

Spontaneous symmetry breaking in the SF phase

Using weak amplitude modulation detect a gap in the response

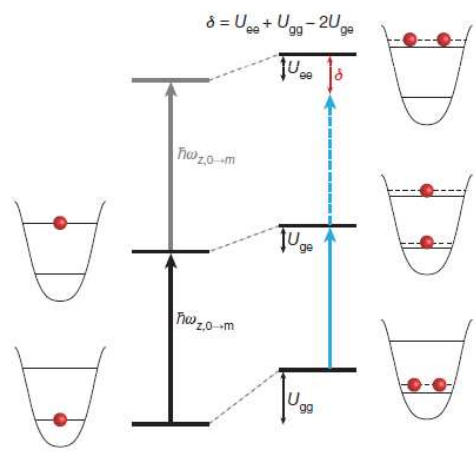


# Global manipulation

## Orbital excitation blockade and algorithmic cooling in quantum gases

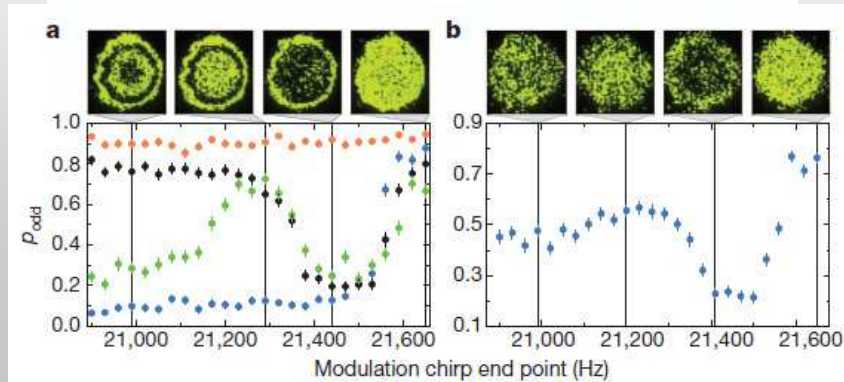
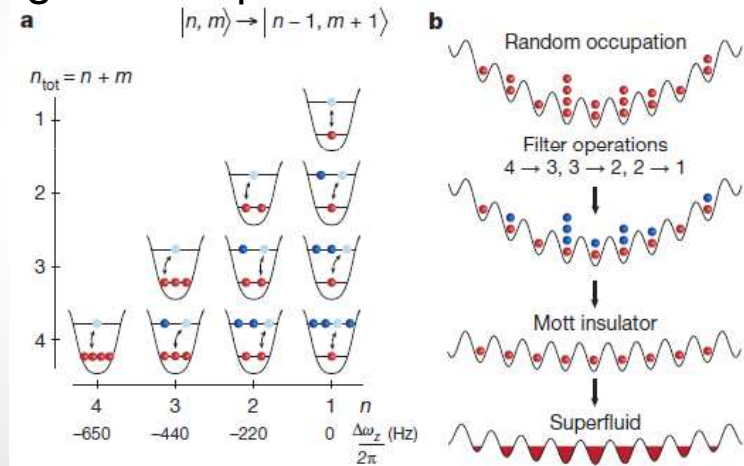
Waseem S. Bakr<sup>1</sup>, Ph 500 | NATURE | VOL 480 | 22/29 DECEMBER 2011 | e1<sup>1</sup>

Two-particle interaction energy depends on the vibrational state



$$U_{\nu,\mu} = U_{00} \begin{pmatrix} 1 & 1 & 0.75 & \dots \\ 1 & 0.75 & 0.875 & \dots \\ 0.75 & 0.875 & 0.64 & \dots \\ \vdots & \vdots & \vdots & \ddots \end{pmatrix}$$

Filtering: sequentially excite and remove higher occupational numbers



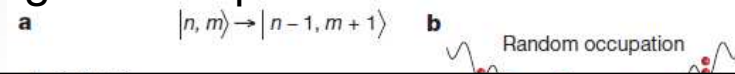
# Global manipulation

## Orbital excitation blockade and algorithmic cooling in quantum gases

Waseem S. Bakr<sup>1</sup>, Ph 500 | NATURE | VOL 480 | 22/29 DECEMBER 2011 | e1

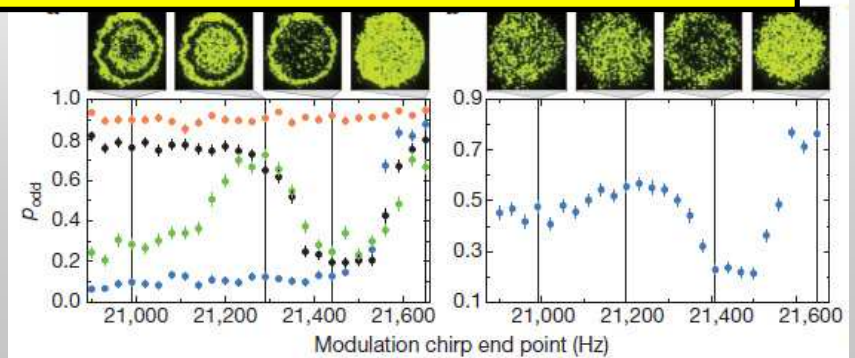
Two-particle interaction energy depends on the vibrational state

Filtering: sequentially excite and remove higher occupational numbers



- Entropy per particle is reduced dramatically in the center but not globally
- Vacancies are not removed

$$U_{\nu,\mu} = U_{00} \begin{pmatrix} 1 & 1 & 0.75 & \dots \\ 1 & 0.75 & 0.875 & \dots \\ 0.75 & 0.875 & 0.64 & \dots \\ \vdots & \vdots & \vdots & \ddots \end{pmatrix}$$



# Shaking the entropy out of an optical lattice: removing vacancies

---

Would like to realize  
an "OR" operation  
between 2 sites

Forbidden due to  
unitarity

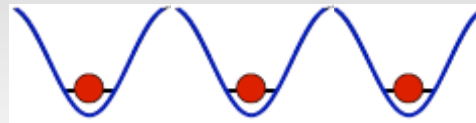


Vacancy probability:  $\epsilon$



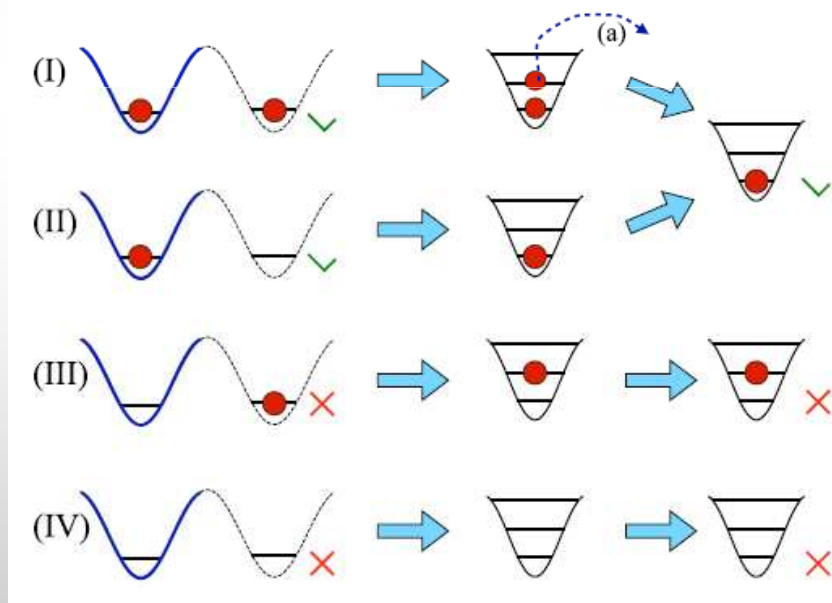
# Shaking the entropy out of an optical lattice: removing vacancies

Need 3 sites:  
Target well + 2 aux  
wells

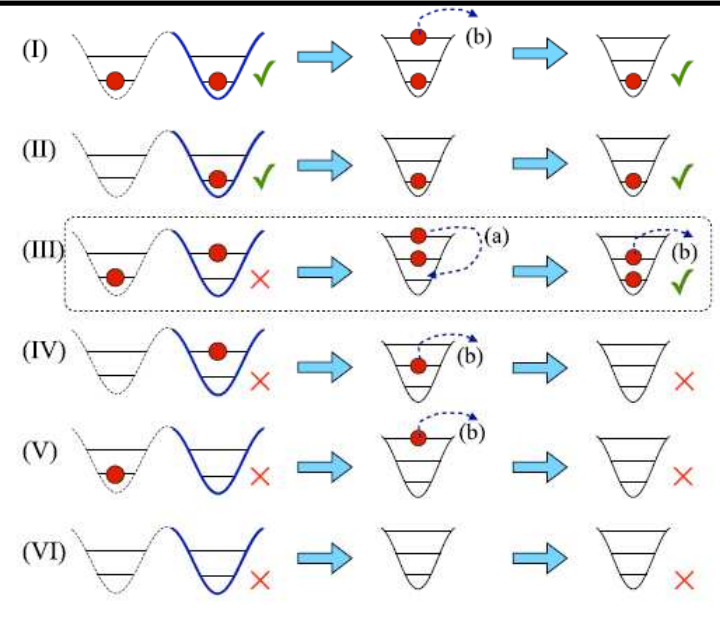


Vacancy probability:  $\epsilon$

Step 1: merge middle and left well

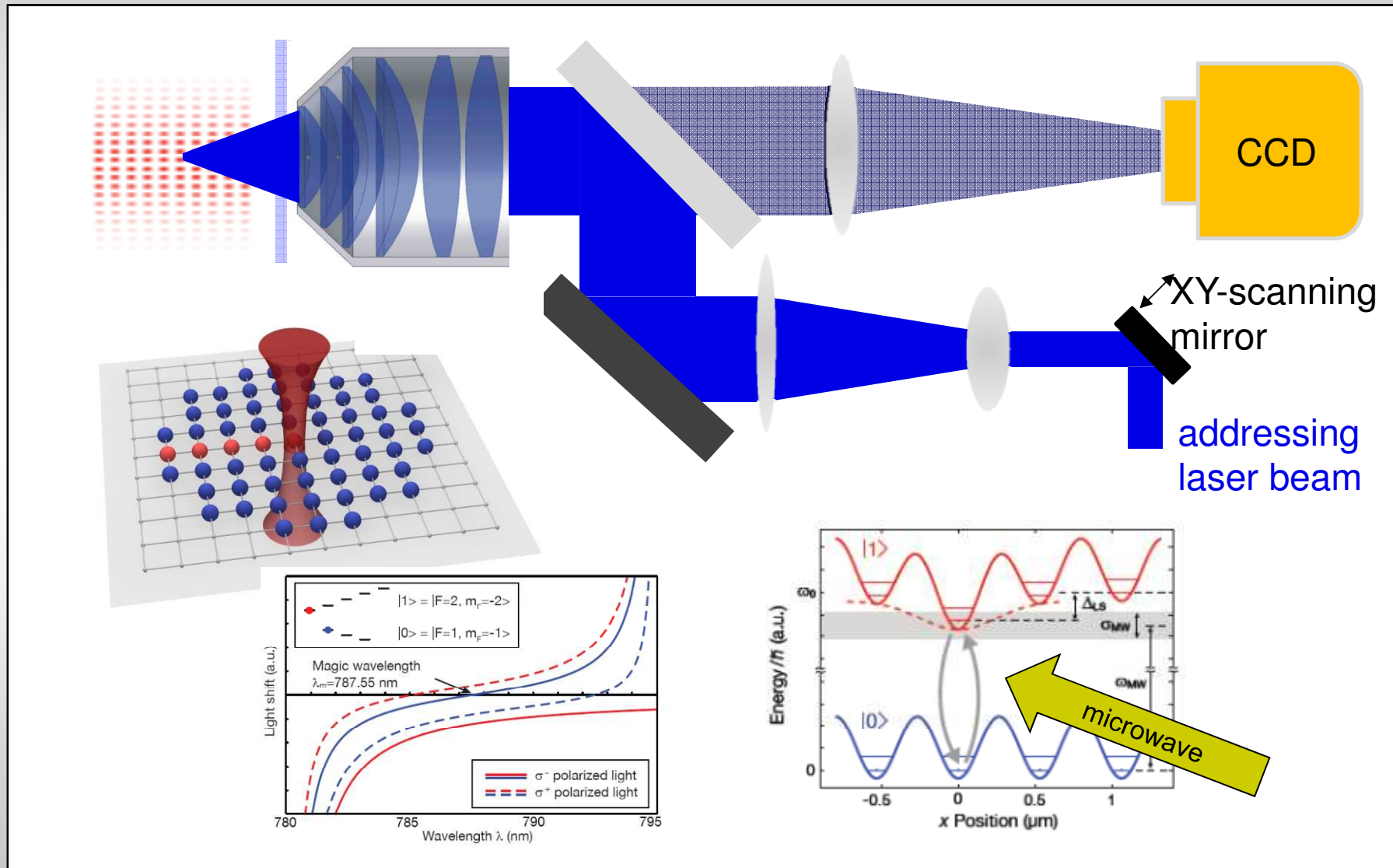


Step 2: merge middle and right well



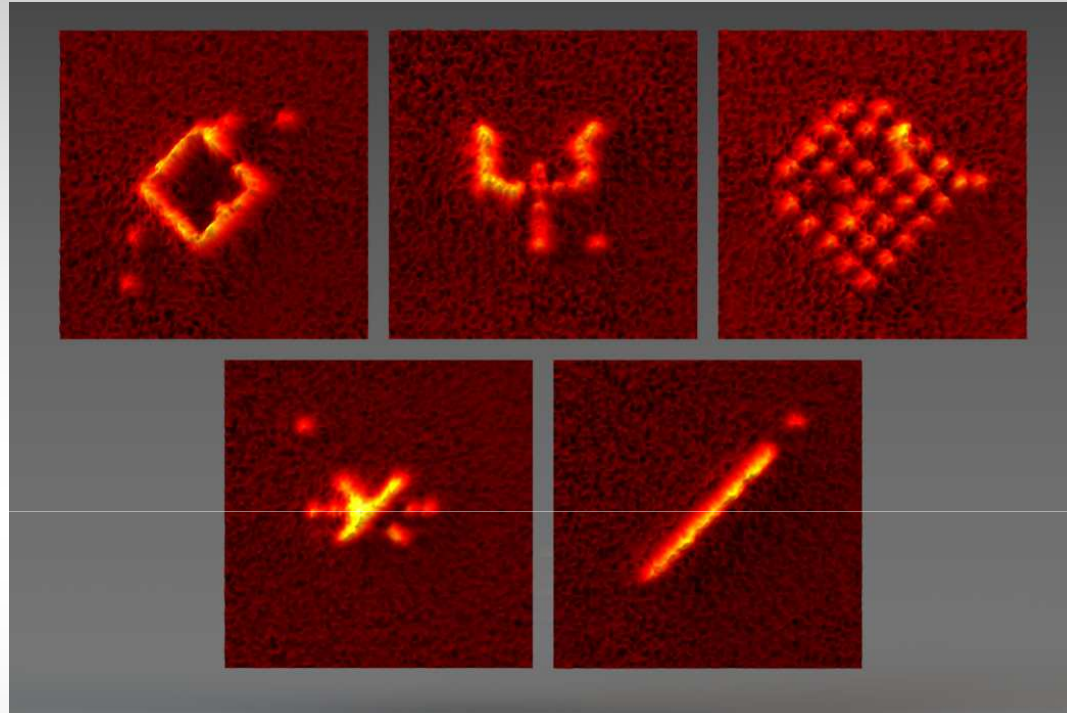
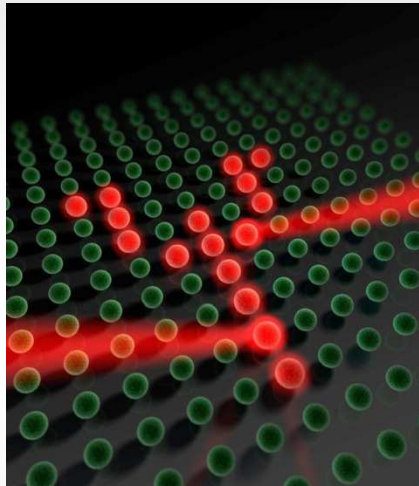
Final vacancy probability:  $2\epsilon^2 - \epsilon^3$

# Addressing individual lattice sites

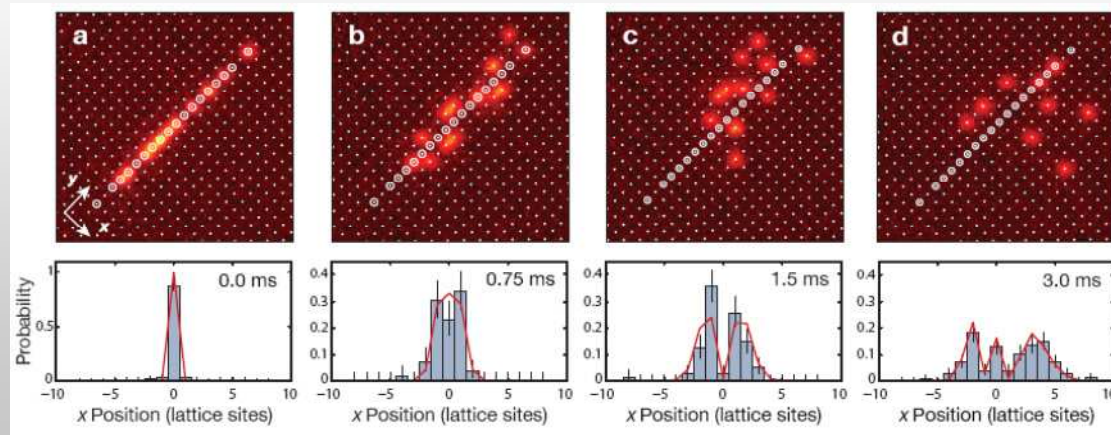


# Addressing individual lattice sites

Writing arbitrary patterns

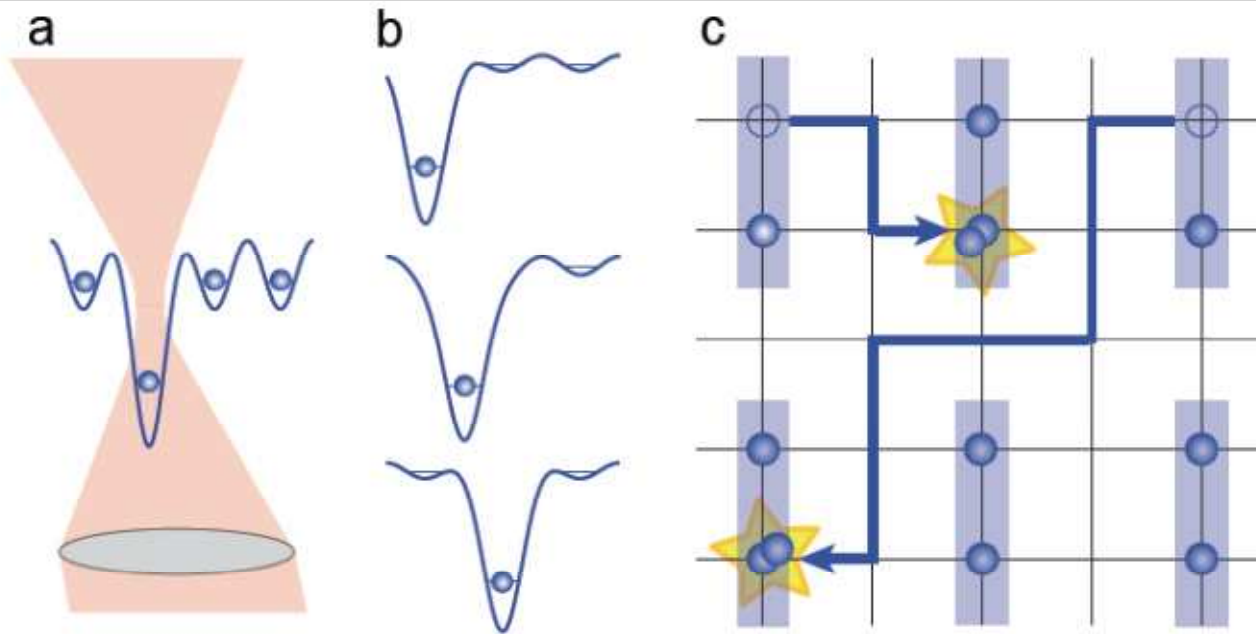


Single particle tunneling  
"the horse track race"



# Quantum computation with optical tweezers

---



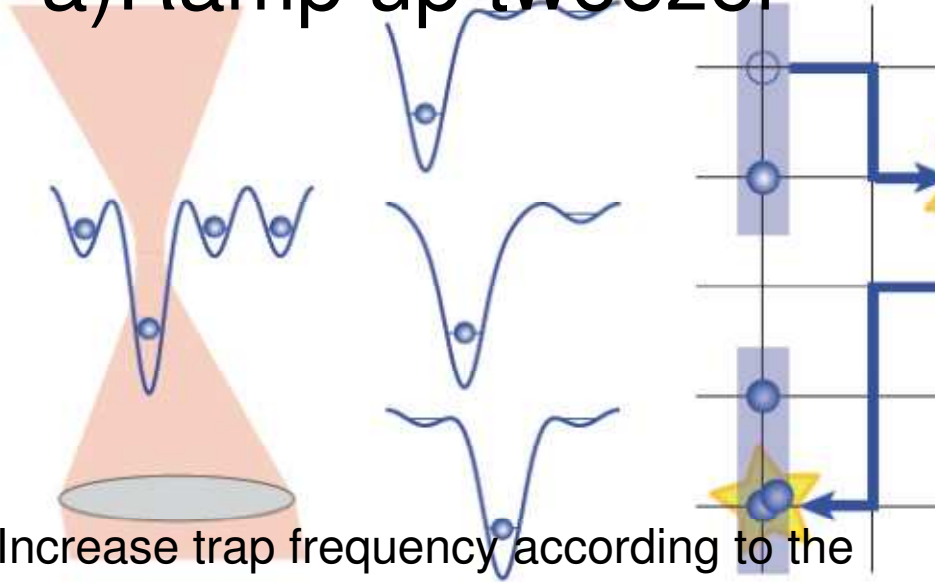
a) Ramp up tweezer

b) Transport atom by translating tweezer

c) Collisional gate by merging atoms

# Quantum computation with optical tweezers

## a) Ramp up tweezer



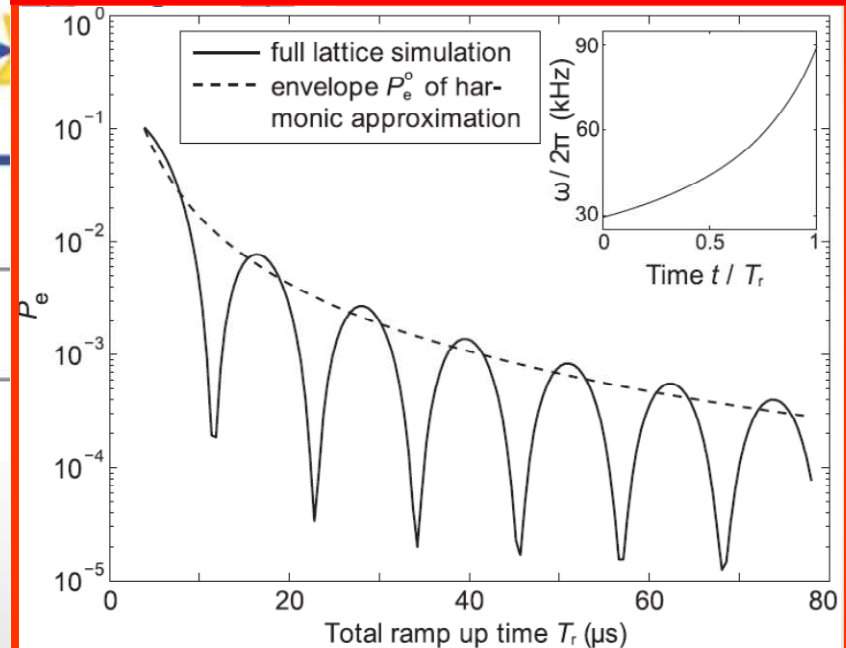
Increase trap frequency according to the adiabaticity criterion:

$$\hbar \left| \frac{d\omega(t)}{dt} \right| = \xi \frac{(\Delta E_{ge})^2}{|\langle \phi_e | \frac{\partial H}{\partial \omega} | \phi_g \rangle|}$$

Solve analytically in a two-state harmonic oscillator model

$$P_e^{\text{harm}}(t) = P_e^0 \sin^2 \left[ \frac{\sqrt{2\xi^2 + \frac{1}{2} \log[1 - 4\sqrt{2}t\xi\omega_0]}}{4\xi} \right]$$

## Numerical solution of the time-dependent Schrödinger equation

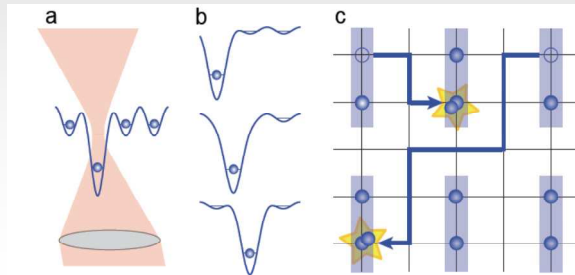


With envelope:

$$P_e^0 = 4\xi^2 / (1 + 4\xi^2)$$

# Quantum computation with optical tweezers

## b) Transport atom



Shift tweezer position (linearly) according to the adiabaticity criterion:

$$\hbar \left| \frac{dx_0(t)}{dt} \right| = \xi \frac{(\Delta E_{ge})^2}{|\langle \phi_e | \frac{\partial H}{\partial x_0} | \phi_g \rangle|}$$

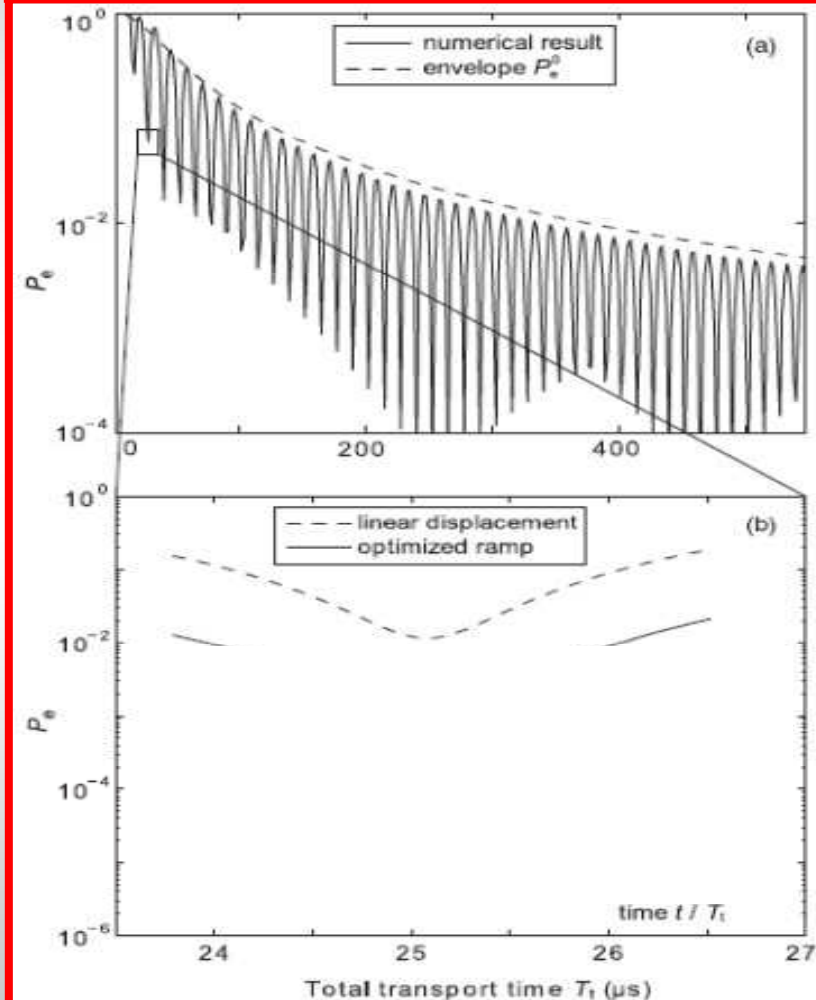
Solve analytically in a two-state harmonic oscillator model

$$P_e^{\text{harm}}(t) = P_e^0 \sin^2[\sqrt{1 + 4\xi^2} \omega t / 2]$$

With envelope:  $P_e^0 = 4\xi^2 / (1 + 4\xi^2)$

Weitenberg et al, PRA (2011)

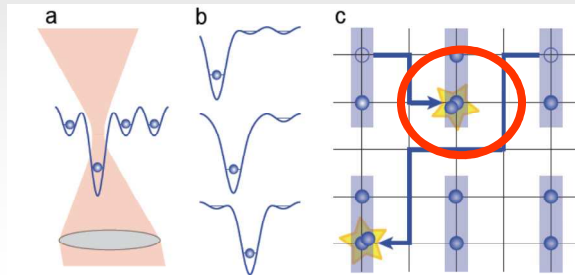
## Numerical solution of the time-dependent Schrödinger equation



Numerical optimization of the translation profile

# Quantum computation with optical tweezers

## c) 2-qubit exchange gate



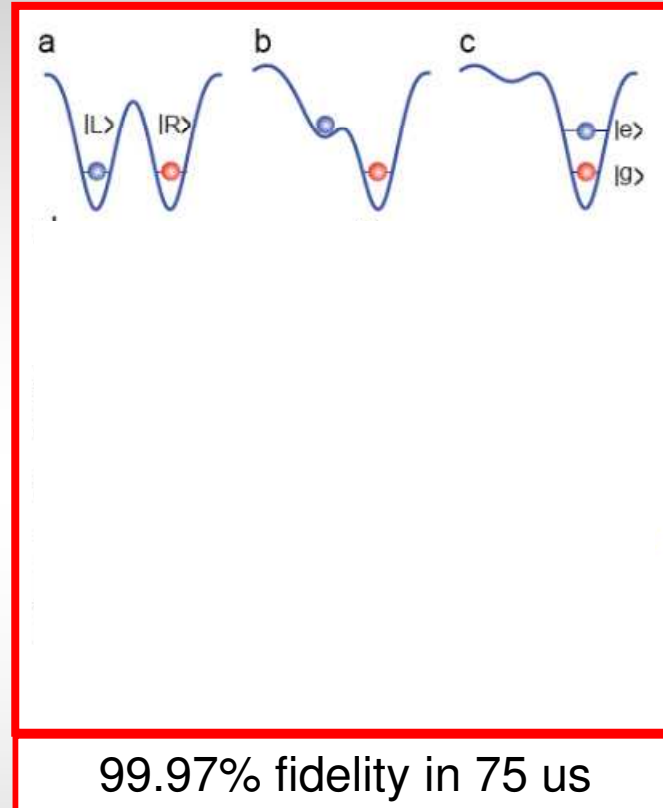
- Map left well atom to first excited state of the right well
- The atom is now in a superposition of the singlet and triplet combinations

$$\begin{aligned}
 |s\rangle &= |\uparrow\rangle_g |\downarrow\rangle_e - |\downarrow\rangle_g |\uparrow\rangle_e, \\
 |t_0\rangle &= |\uparrow\rangle_g |\downarrow\rangle_e + |\downarrow\rangle_g |\uparrow\rangle_e, \\
 |t_{-1}\rangle &= |\downarrow\rangle_g |\downarrow\rangle_e, \\
 |t_{+1}\rangle &= |\uparrow\rangle_g |\uparrow\rangle_e.
 \end{aligned}$$

- Interactions in the triplet state drive oscillations

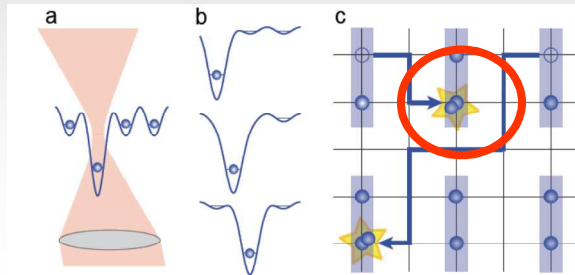
$$\begin{aligned}
 \Psi(t=0) &= |s\rangle + |t_0\rangle \sim |\uparrow\rangle_g |\downarrow\rangle_e, \\
 \Psi(t) &= |s\rangle + e^{iU_{est}/\hbar} |t_0\rangle, \\
 \Psi(t=T_{\text{swap}}) &= |s\rangle - |t_0\rangle \sim |\downarrow\rangle_g |\uparrow\rangle_e,
 \end{aligned}$$

$$\Psi(t=T_{\text{swap}}/2) = |s\rangle + i|t_0\rangle \sim |\uparrow\rangle_g |\downarrow\rangle_e + i|\downarrow\rangle_g |\uparrow\rangle_e \quad \sqrt{\text{swap gate}}$$



# Quantum computation with optical tweezers

## c) 2-qubit exchange gate

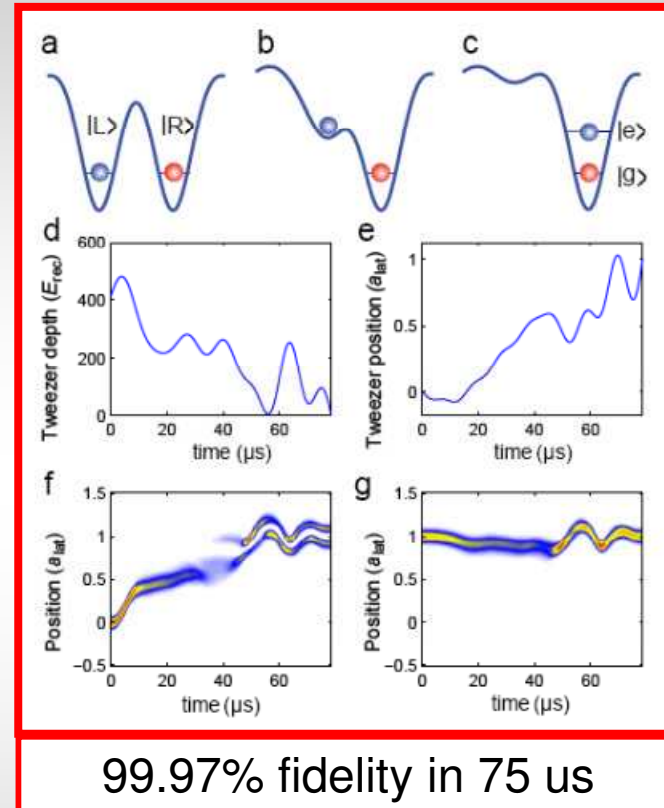


- Map left well atom to first excited state of the right well
- The atom is now in a superposition of the singlet and triplet combinations

$$\begin{aligned}
 |s\rangle &= |\uparrow\rangle_g |\downarrow\rangle_e - |\downarrow\rangle_g |\uparrow\rangle_e, \\
 |t_0\rangle &= |\uparrow\rangle_g |\downarrow\rangle_e + |\downarrow\rangle_g |\uparrow\rangle_e, \\
 |t_{-1}\rangle &= |\downarrow\rangle_g |\downarrow\rangle_e, \\
 |t_{+1}\rangle &= |\uparrow\rangle_g |\uparrow\rangle_e.
 \end{aligned}$$

- Interactions in the triplet state

$$\begin{aligned}
 \Psi(t=0) &= |s\rangle + |t_0\rangle \sim |\uparrow\rangle_g |\downarrow\rangle_e, \\
 \Psi(t) &= |s\rangle + e^{iU_{est}/\hbar} |t_0\rangle, \\
 \Psi(t=T_{\text{swap}}) &= |s\rangle - |t_0\rangle \sim |\downarrow\rangle_g |\uparrow\rangle_e, \\
 \Psi(t=T_{\text{swap}}/2) &= |s\rangle + i|t_0\rangle \sim |\uparrow\rangle_g |\downarrow\rangle_e + i
 \end{aligned}$$



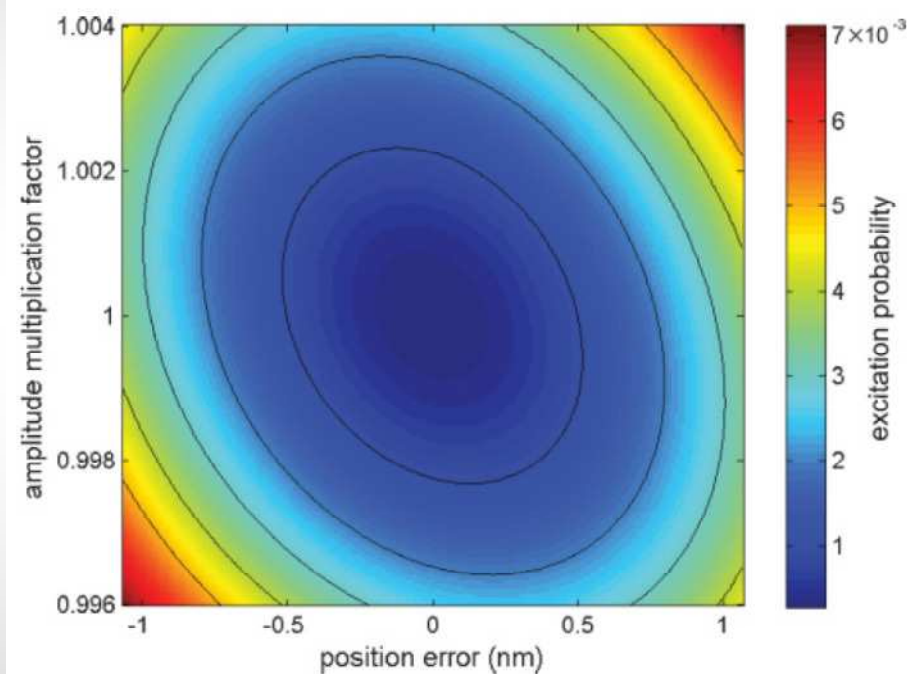
Total gate time a few 100us  
with  $10^{-3}$  error



# Quantum computation with optical tweezers

---

Include intensity and beam pointing instabilities



Current state-of-the-art of 50nm beam pointing accuracy yields considerably higher errors!

Three solutions:

- Improve state-of-the-art a la LIGO
- The quantum computer game
- A fundamentally new method for addressing

# Human Computing

9 billion man-hours spent on solitaire per year!



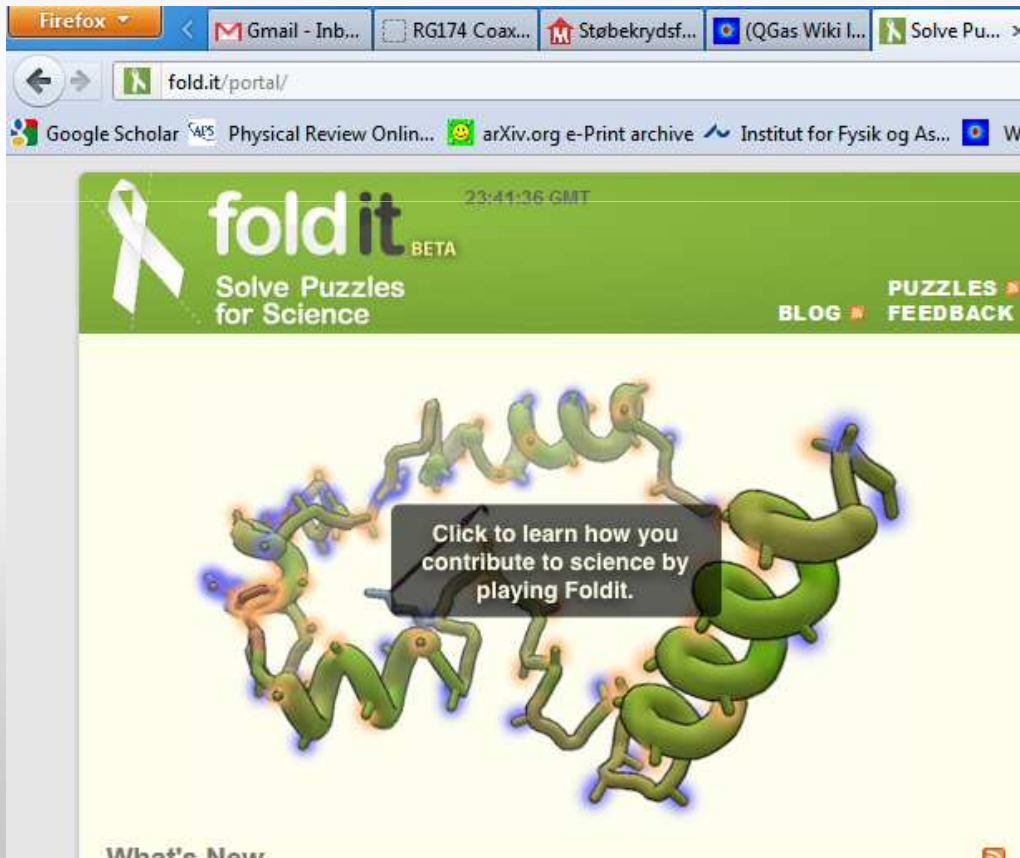
Luis Von Ahn

ESP game:  
22,000 players  
Over 3,2 mio image-labels



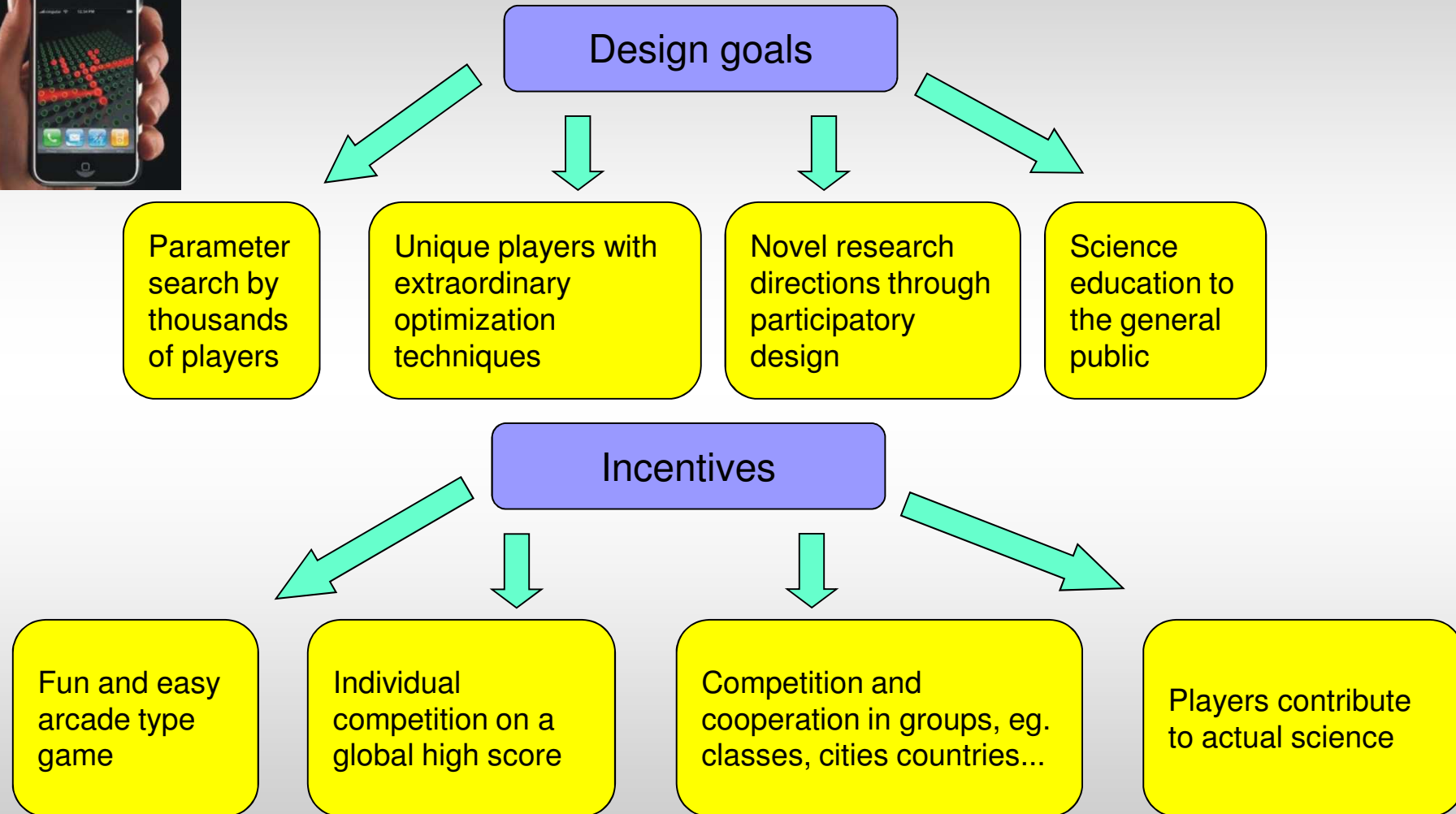
# Human Computing

9 billion man-hours spent on solitaire per year!

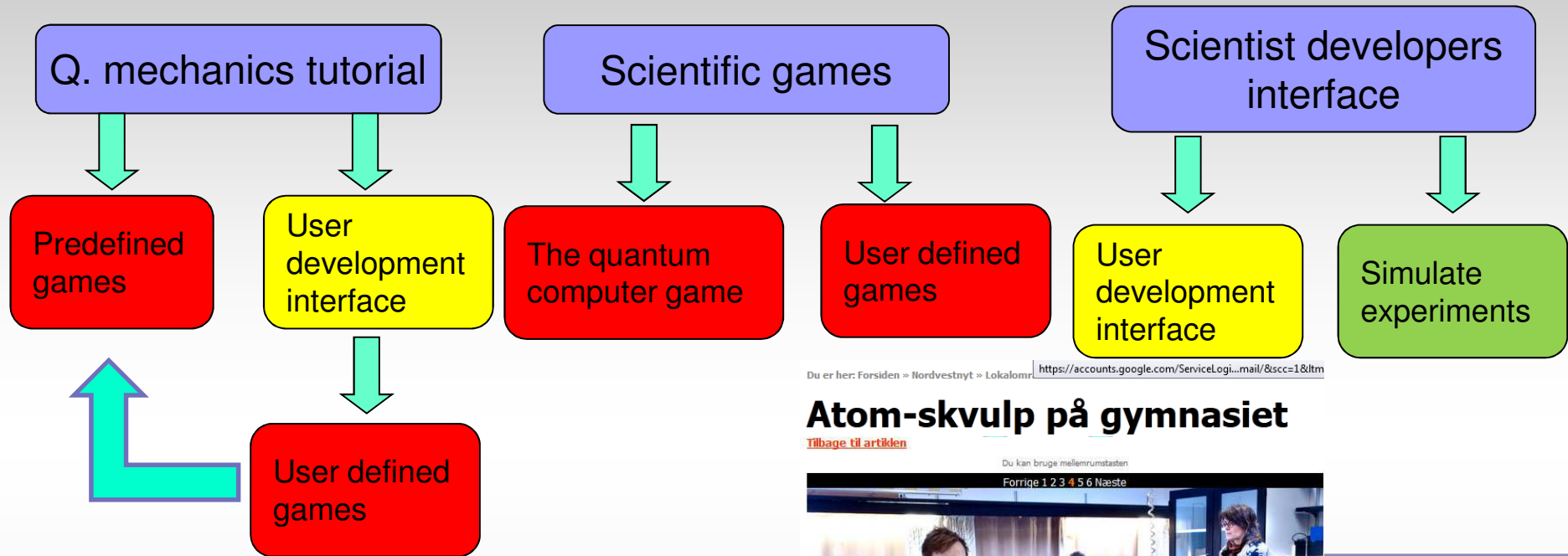


- >100.000 players
- Players invent new algorithms (15 year super-player)
- Players helped the scientists win the CASP 2009 protein folding challenge

# The quantum computer game



# Quantum games: software overview



Du er her: Forsiden » Nordvestnyt » Lokalomr <https://accounts.google.com/ServiceLogi...mail/&sc=1&ltm>

## Atom-skvulp på gymnasiet

[Tilbage til artiklen](#)

Du kan bruge mellemrumstasten

Førrige 1 2 3 4 5 6 Næste



**es available**

r (TDSE)

evskii

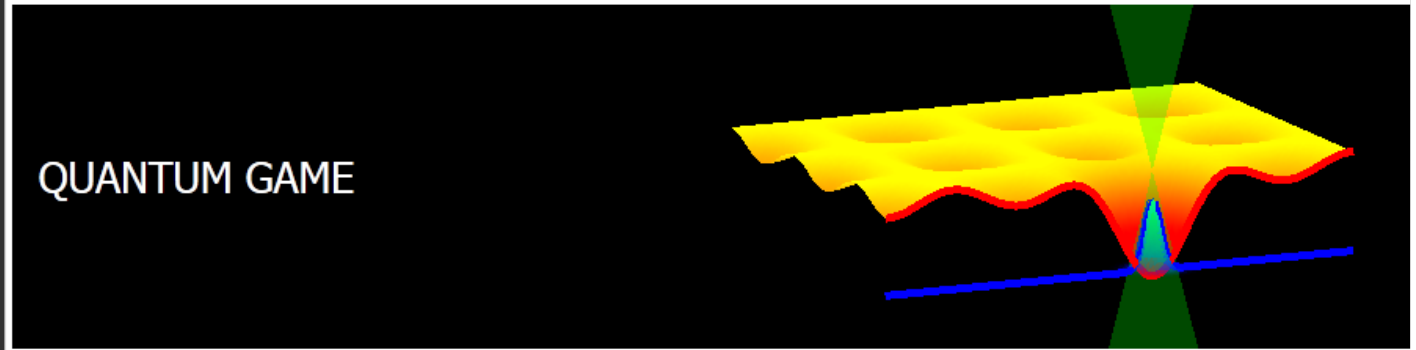
ard

### High school / university projects:

- 1-2 week course
- Combined with q. mechanics book of Klaus Mølmer



Feb 2012: first successful high-school project



# QUANTUM GAME

CHALLENGE	DOWNLOAD	NEWS	FORUM	DOCUMENTATION	EDUCATIONAL	FAQ	CONTACT	PRESS	PEOPLE
-----------	----------	------	-------	---------------	-------------	-----	---------	-------	--------

## CHALLENGE

**Help solving a real scientific problem by playing a computer game!**

Quantum physicists around the world are trying to build a quantum computer. Such a computer works according to the principles of quantum mechanics and a single quantum computer could potentially be stronger than all conventional computers combined!

But, to build a quantum computer there are still some challenges that needs to be solved, and by playing this game you will contribute to this while (hopefully) having fun!

So hurry up and register at the right side of this page! If you are already logged on, go to "Download" in the menu where you will find the newest version of the game.

## THE GAME

The game consists of several individual games. Some of these serve as tutorials that will introduce you to the quantum world and in others you contribute to solving the scientific challenges.

The scientific games are marked with a boldface font. In these games you try to solve actual scientific problems. The games are based solely on real physical simulations - no cheating. You are doing front-line research, and we do not know where it will end!

The structure of the game will develop as time goes on based upon your feedback, and new games will be created by the players and new features will be introduced on request.

FORLØB: ODSHERRED GYMNASIUM, FEBRUAR 2012 (DANSK)  
 NOTER (DANSK)

## LOGIN

- Control Panel
- Logout

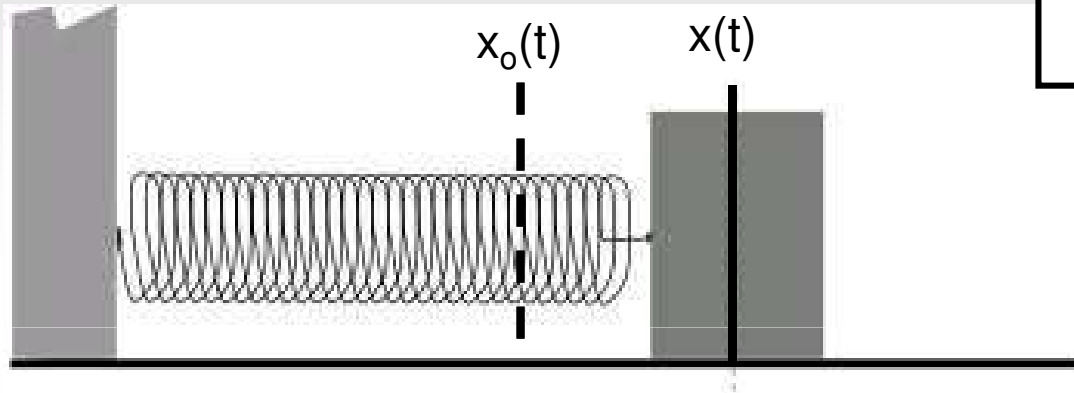
## RECENT POSTS

- sidse**  
Test  
Feb 21st, 2012
- kaspar**  
General comment  
Feb 1st, 2012
- kaspar**  
Test  
Feb 1st, 2012

## NEWS

# Classical example: Harmonic motion

Move the wall according to  $x_o(t)$

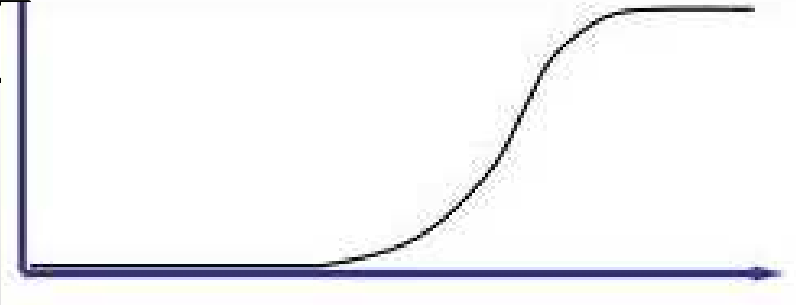


Newton's 2nd law:

$$F = m \ddot{x} = -k (x(t) - x_o(t))$$

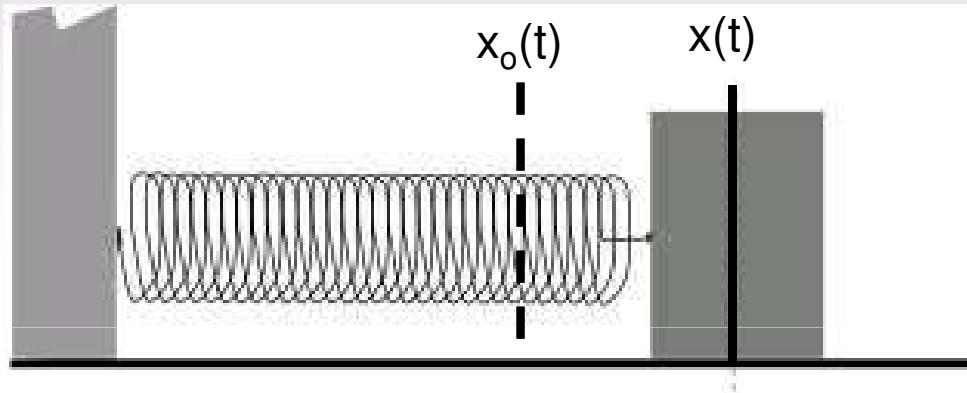
Exercise: the mass has to move according to:

$$x(t) = \frac{1}{1 + e^{-t}}$$



# Classical example: Harmonic motion

Move the wall according to  $x_o(t)$



Newton's 2nd law:

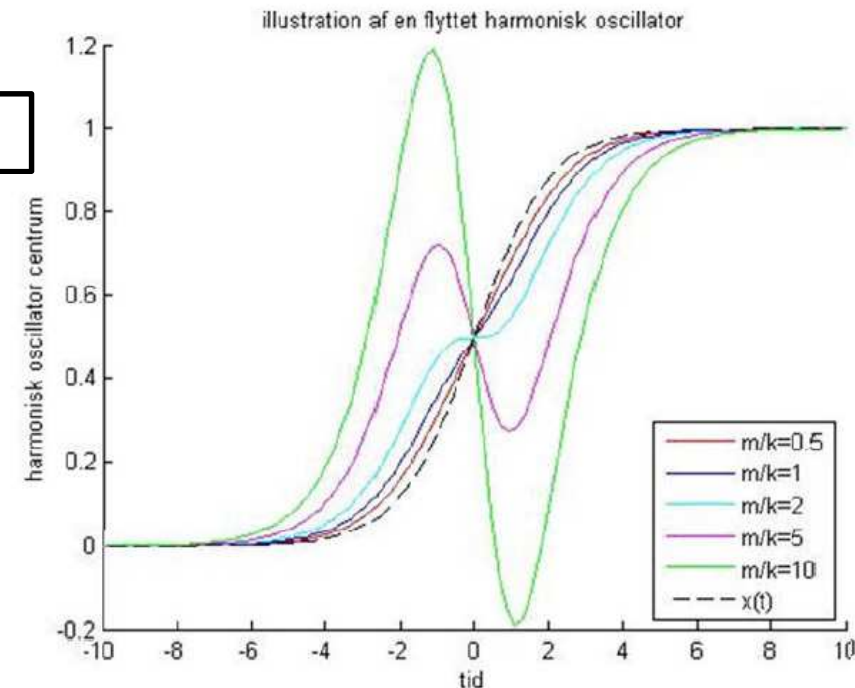
$$F = m \ddot{x} = -k (x(t) - x_o(t))$$

Exercise: the mass has to move according to:

$$x(t) = \frac{1}{1 + e^{-t}}$$

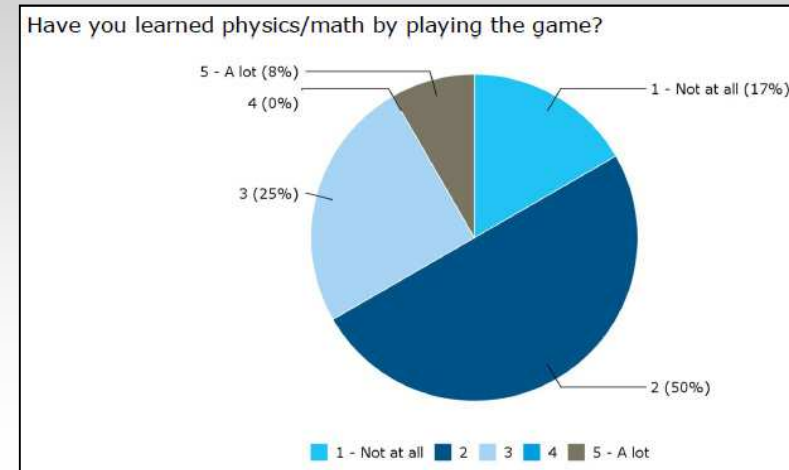
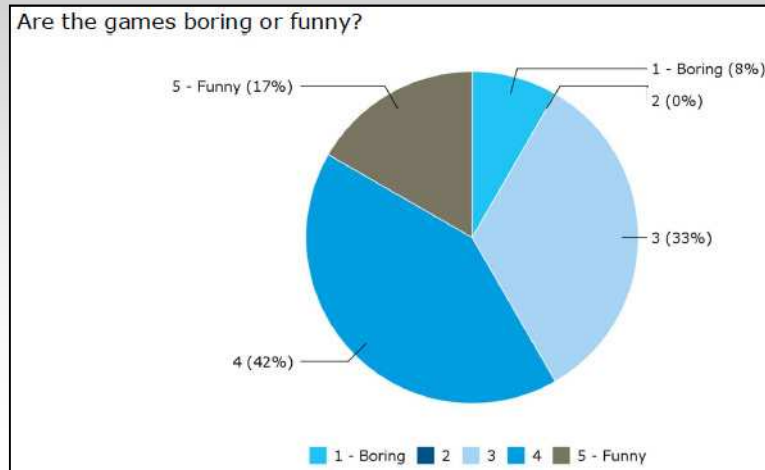
What should  $x_o(t)$  be?

$$x_o(t) = x(t) + \frac{m}{k} \ddot{x}$$





# Evaluation results



“Especially competitive aspect of the game is a scoop. It's almost like **taking advantage of the most primal part of humans to explore science.**”

“**Quantum physics seems suddenly more tangible**, something which is not a dangerous monster you can't work out. **It should be in every school!**”

“In the normal teaching you calculate it only while you **in the game get the feeling of directly doing the experiment**”

“I think you have found a **super mix of tutorial games and difficult scientific games.**”

---

**Thank you very much**